

Subgrid-scale fluxes at the PBL top in CRMs

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In a typical CRM, “clouds”, “rainy area” and “cold pools” are resolvable features.

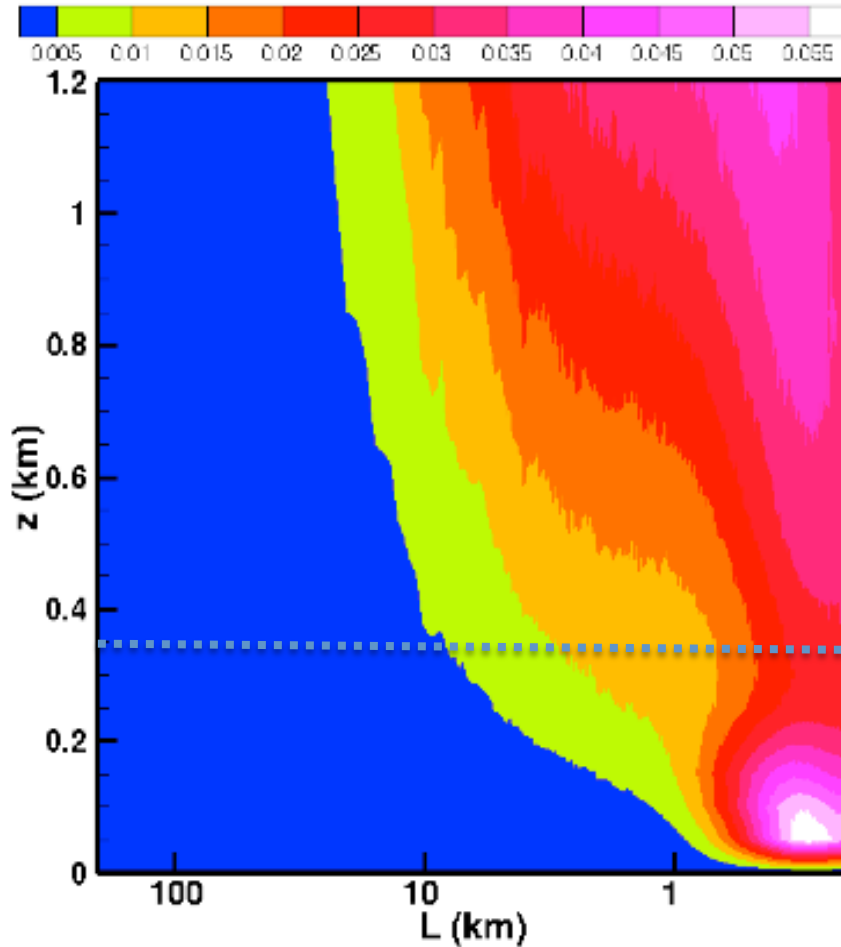
The PBL in a CRM varies at various regions.

My goal is to model SGS fluxes for CRMs, focusing on fluxes at the PBL top in this talk.

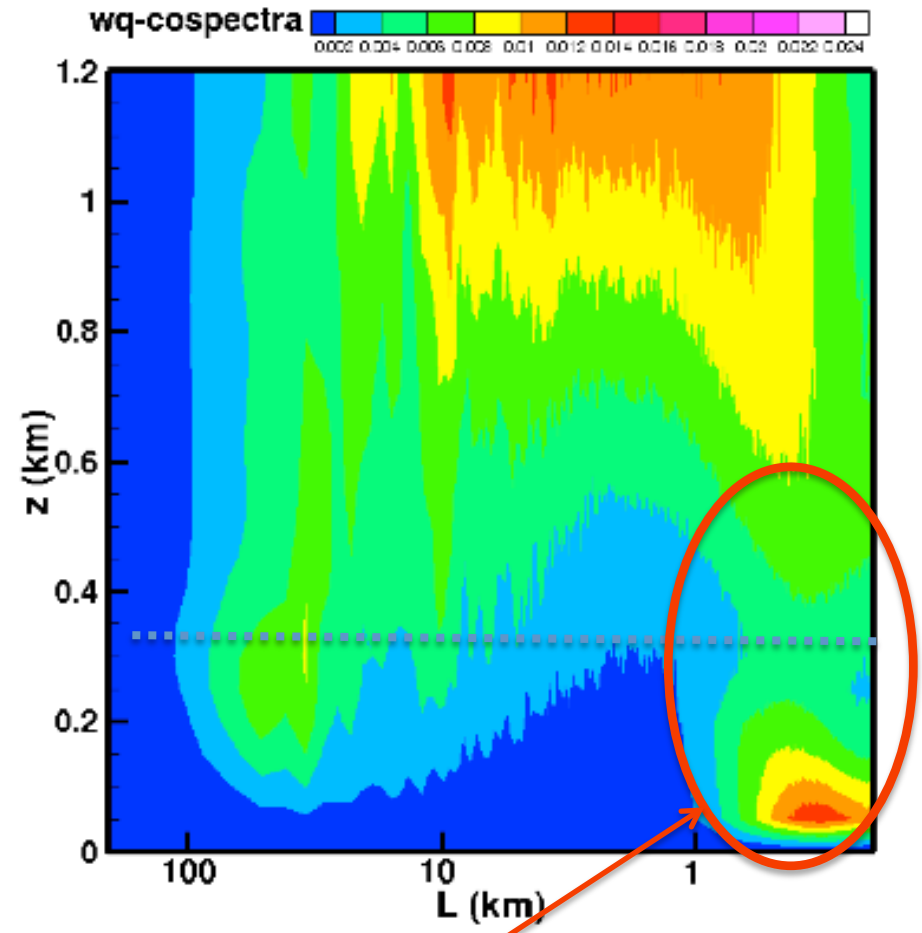
I will use the Giga-LES as database.

Why do we need to model SGS fluxes in CRMs?

contours of w-spectra



wq-cospectra

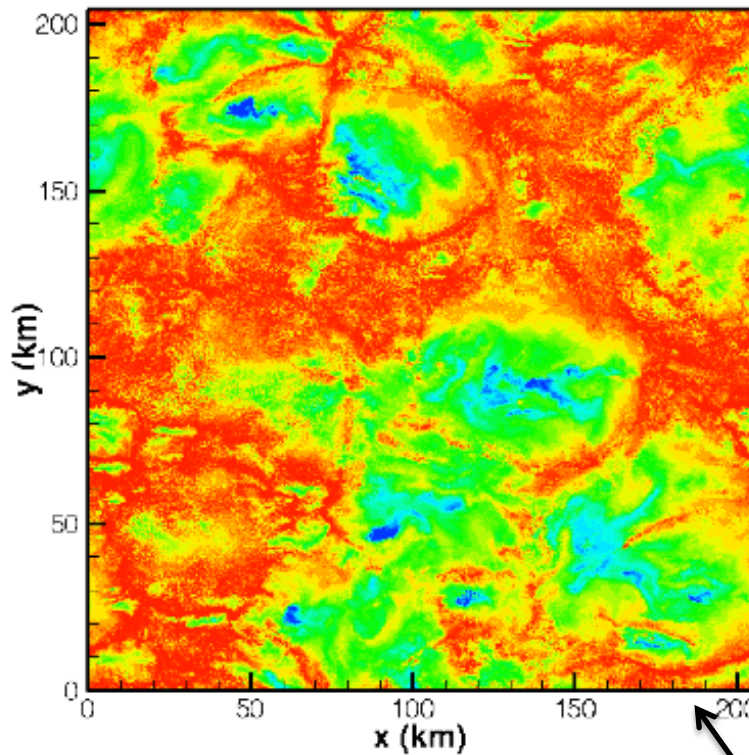


Most flux resides on small scales (SGS in CRMs)!

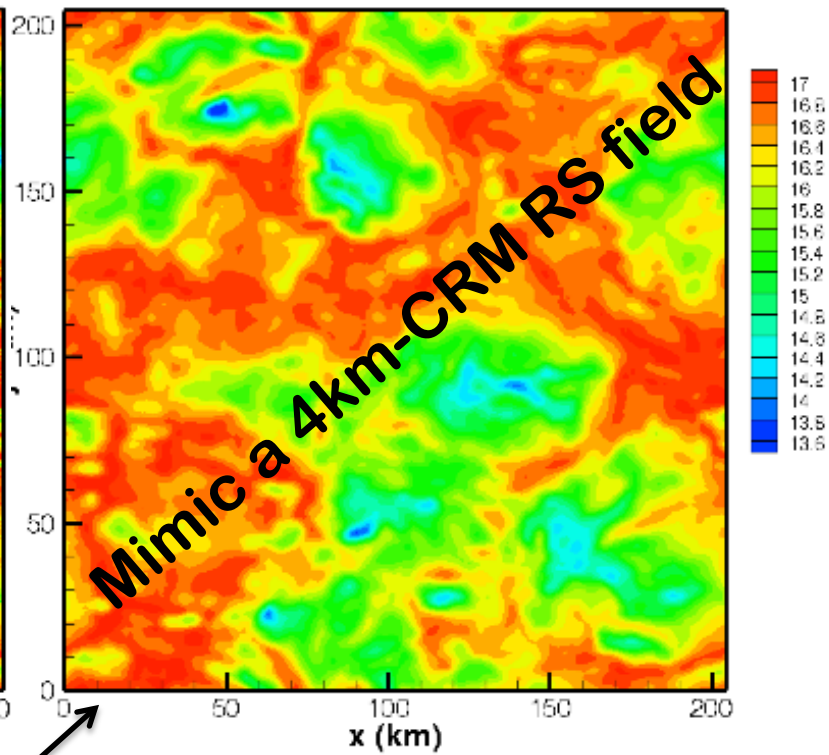
(Step 1) Split the Giga-LES field to CRM resolvable (RS) & SGS components.



moisture field at $z \sim 300$ m
before filter



after filter; filter width of 4 km;
smoothed field



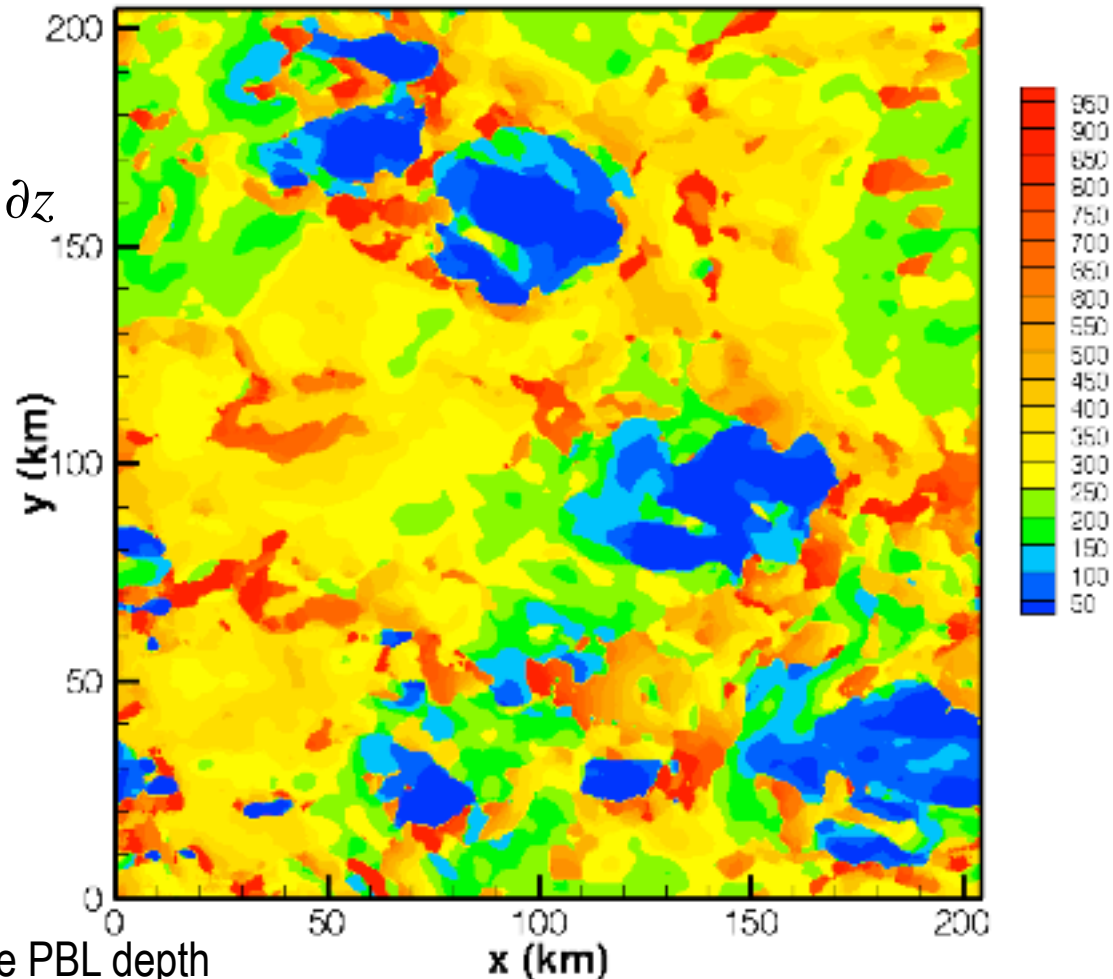
The difference is the CRM SGS field.

(Step 2) Find the PBL height from the RS_4km field

1. Search for $\max \partial\theta_e / \partial z$
and $\min \partial q / \partial z$
below 1 km.

2. Choose the min.
of the two.

distribution of the inversion (PBL) height

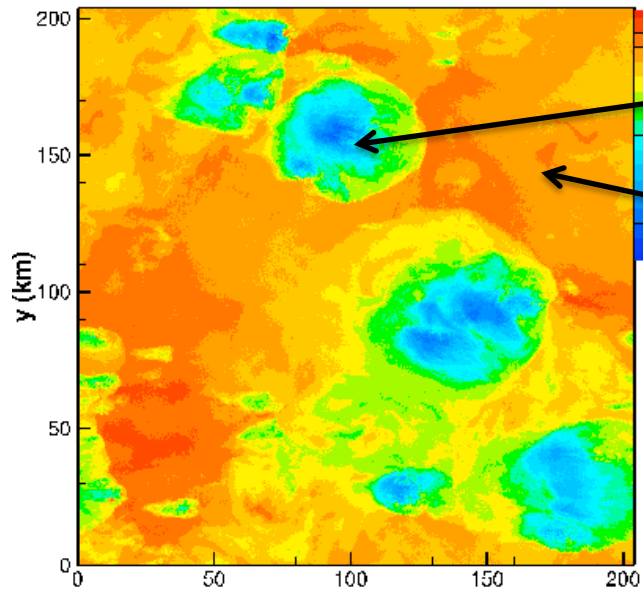


•Will not consider pts where the PBL depth reaches 1 km in my analysis.

(horizontal mean of $z_{inv} \sim 336$ m)

(Step 3) Conditionally sample the PBL into 4 regimes.

temp. near the surface

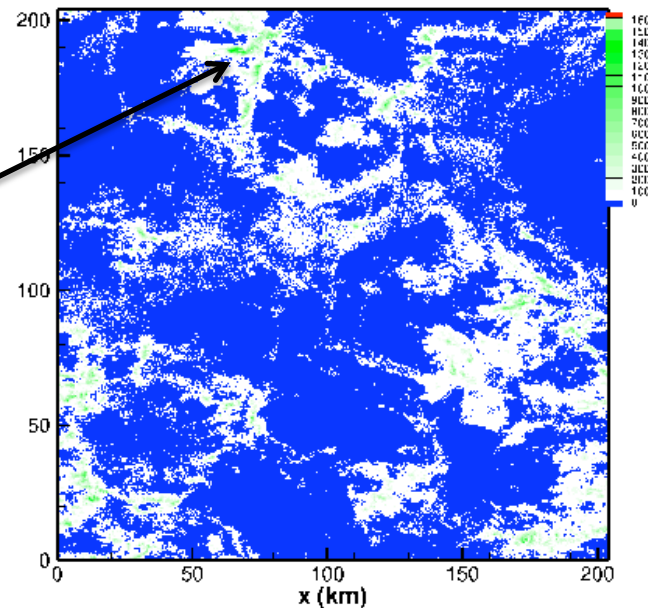


1. cold-pool

2. recovered (environmental) PBL

3. cloudy region

vertically integrated condensed water (g/m²) LWP



4. rainy area

Criteria for sampling the four regimes from the RS_4km (smoothed) field:

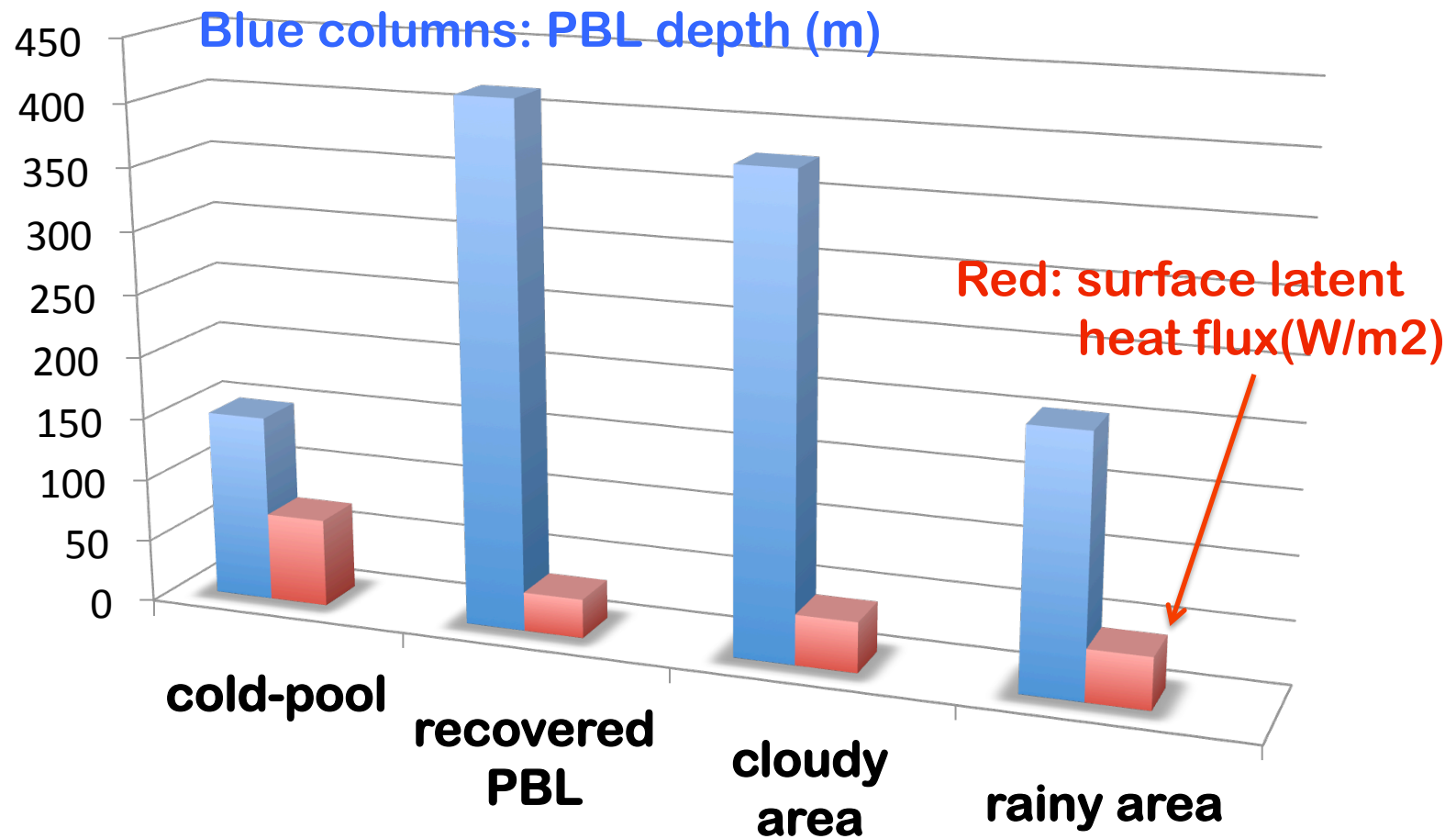
1. **Cold-pool region:** sfc latent heat flux > 2 times of its xy-mean
2. **Recovered PBL:** $[t(i,j,1) - \text{mean } T] > 0.5\text{C}$ and $\text{LWP} < 80 \text{ g/m}^2$
3. **Cloudy region:** $\text{LWP} > 0.05 \times (\text{max of LWP})$ (excluding small cld)
4. **Rainy region:** first-grid rain amount $> 0.1 \text{ g/kg}$

of sampled grid columns

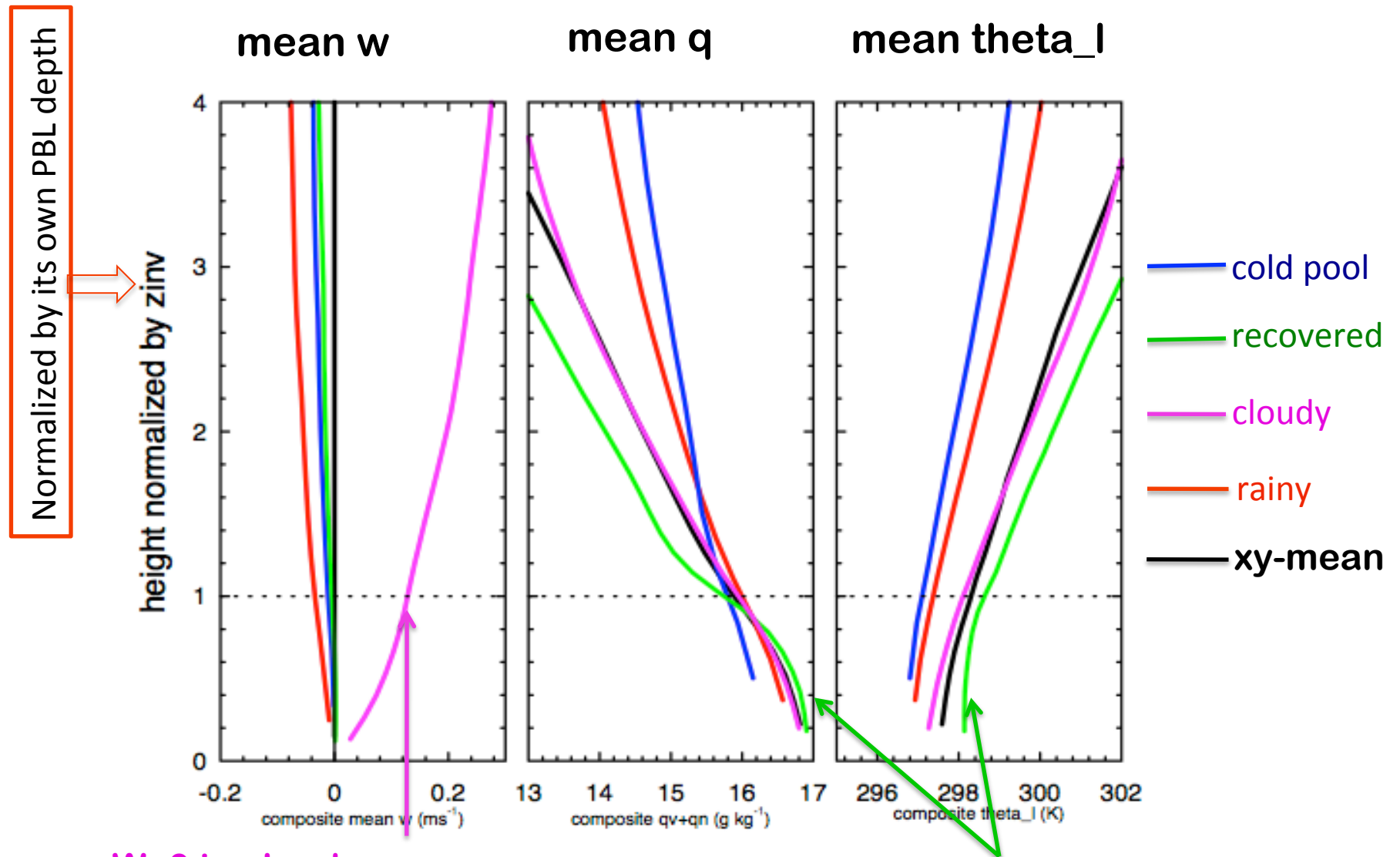
cold-pool:	56,000 (1.3%)
recovered:	187,000 (4.5%)
cloudy:	58,000 (1.4%)
rainy:	152,000 (3.6%)

(max of LWP $\sim 17330 \text{ g/m}^2$
assuming $\rho=1 \text{ kg/m}^3$)

Averaged parameters over each region



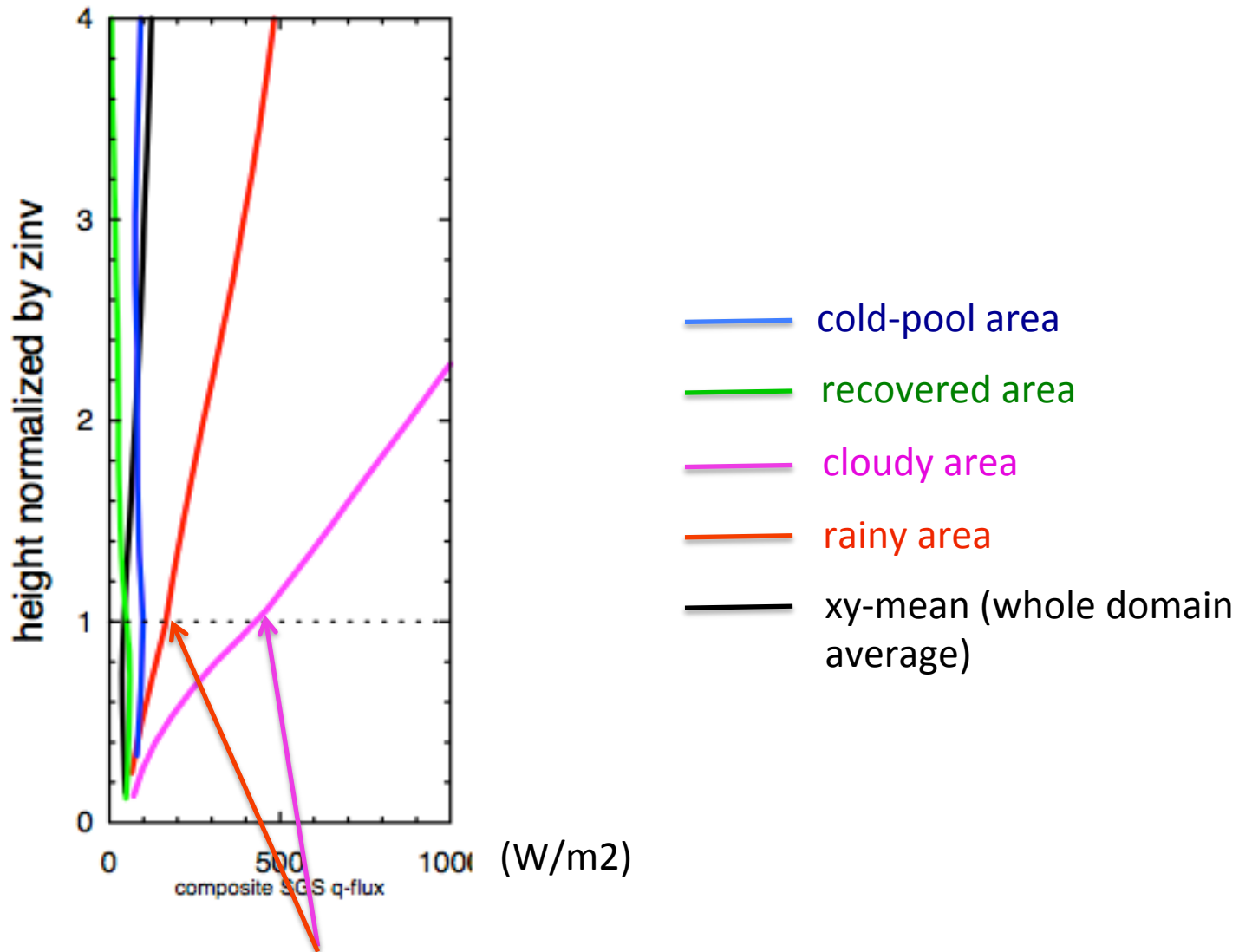
Composite vertical profiles: mean fields



mean $W > 0$ in cloudy area

Only "recovered" PBL shows a "well-mixed" layer.

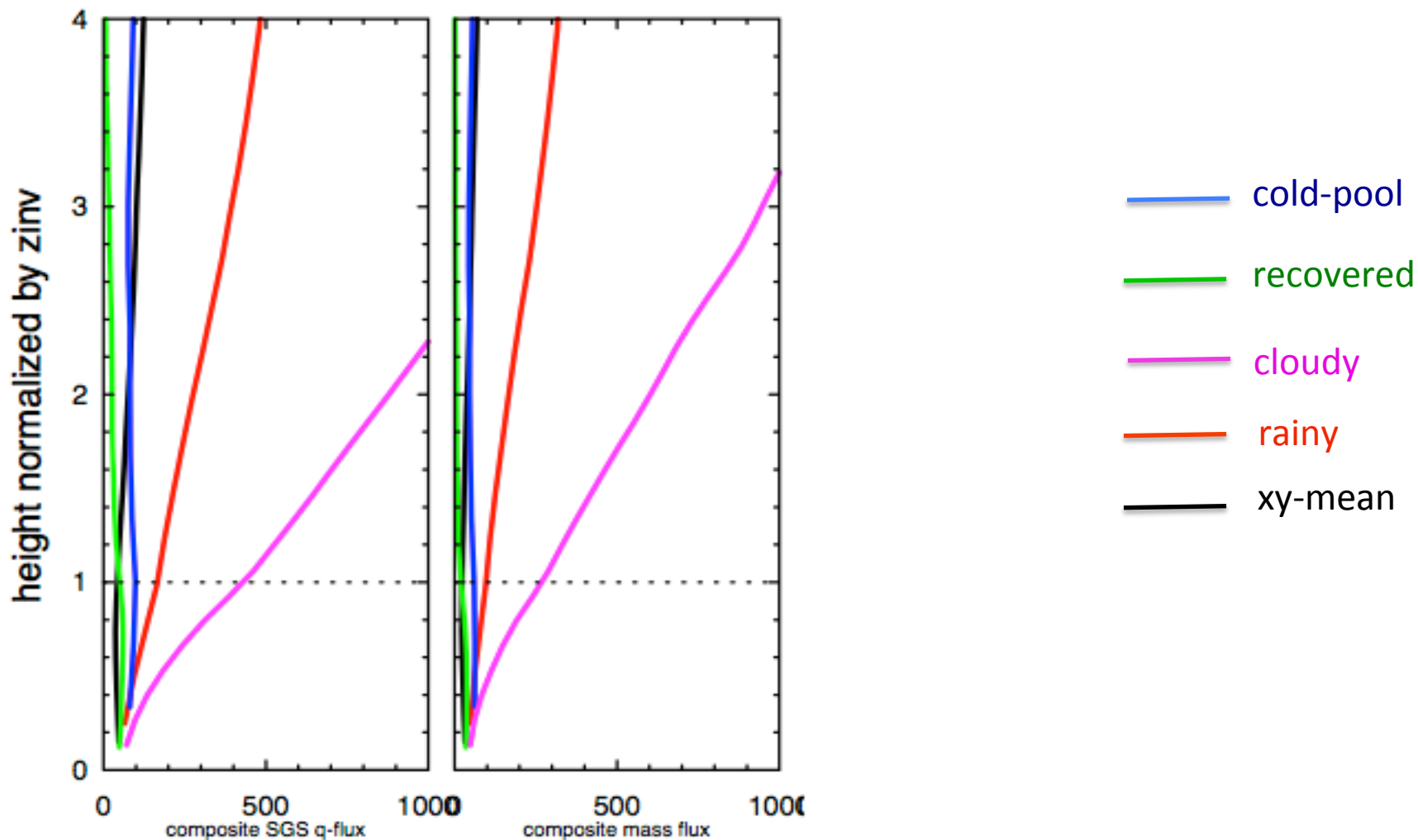
Composite vertical profiles: SGS flux



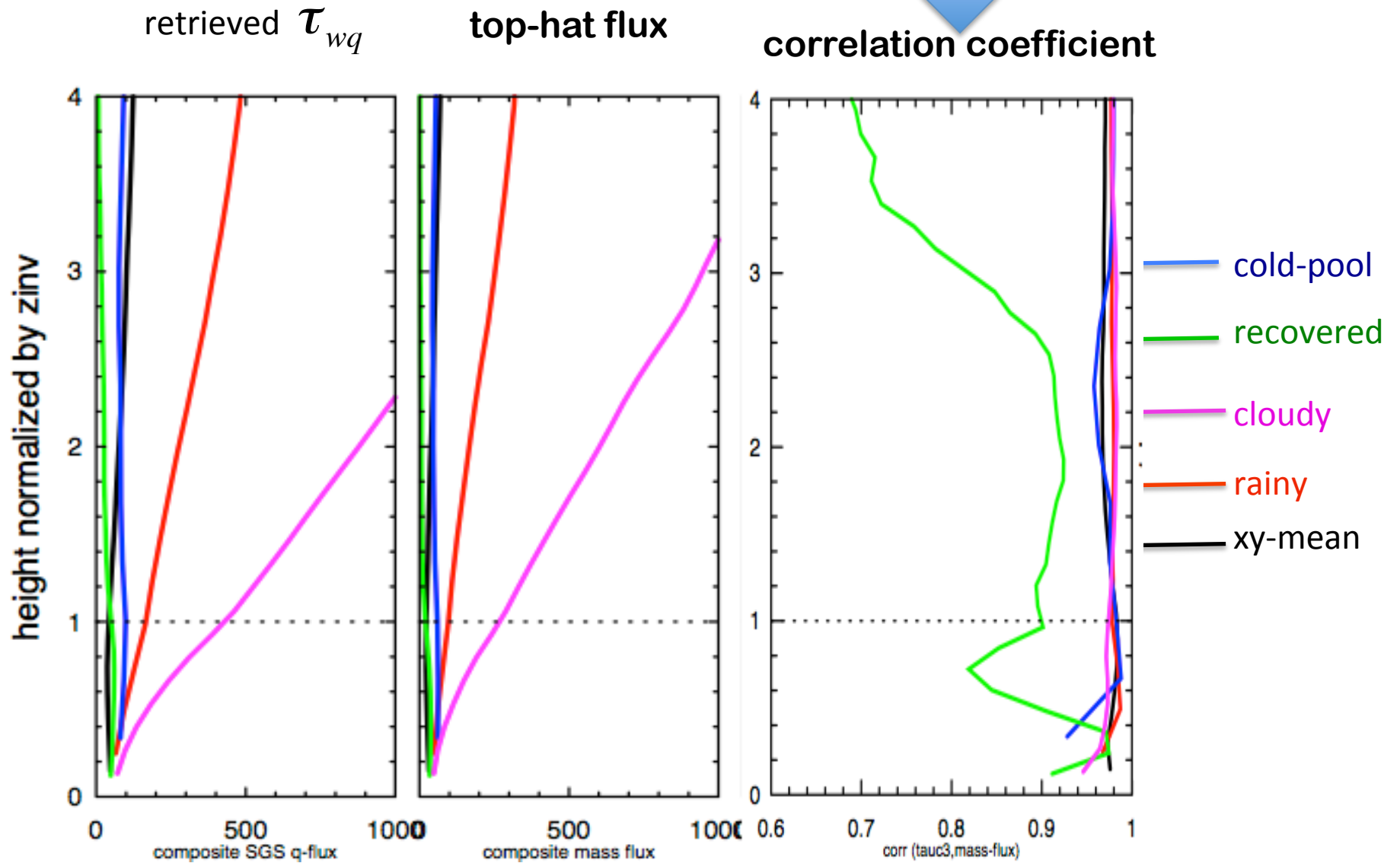
Significant amounts of SGS turbulent flux at the PBL top in **cloudy** and **rainy** areas.

How to model the SGS flux: “top-hat” flux?

retrieved τ_{wq} **top-hat flux** $(w_{SGS}^U - w_{SGS}^D)(q_{SGS}^U - q_{SGS}^D) / 4$ If Gaussian JPDF

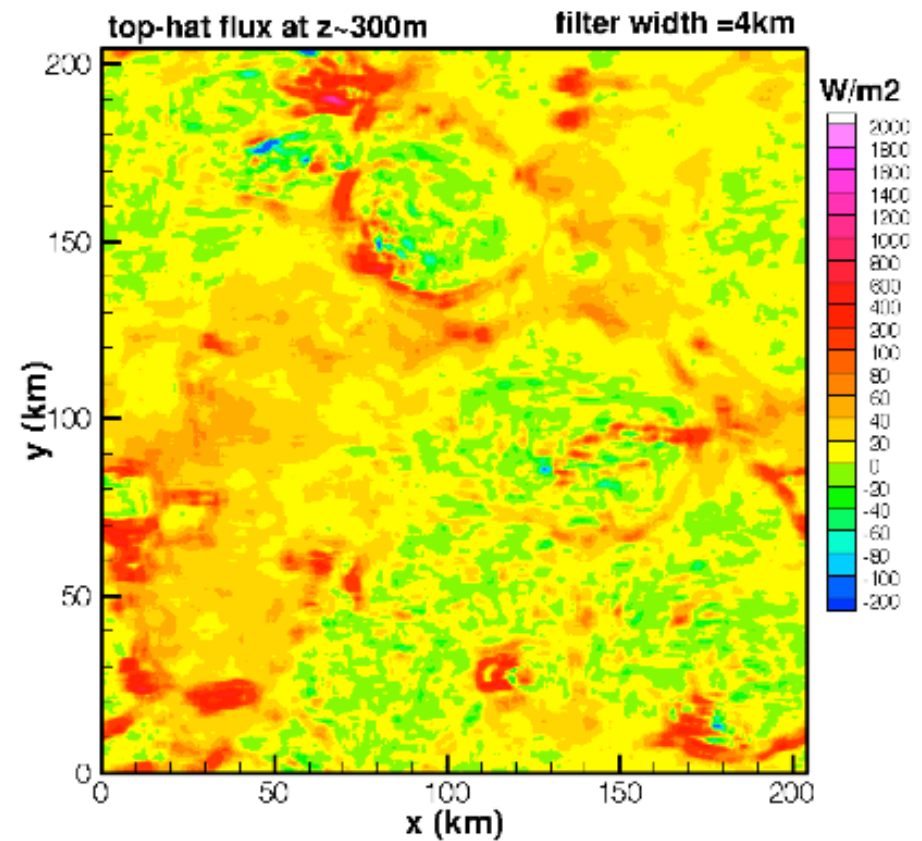
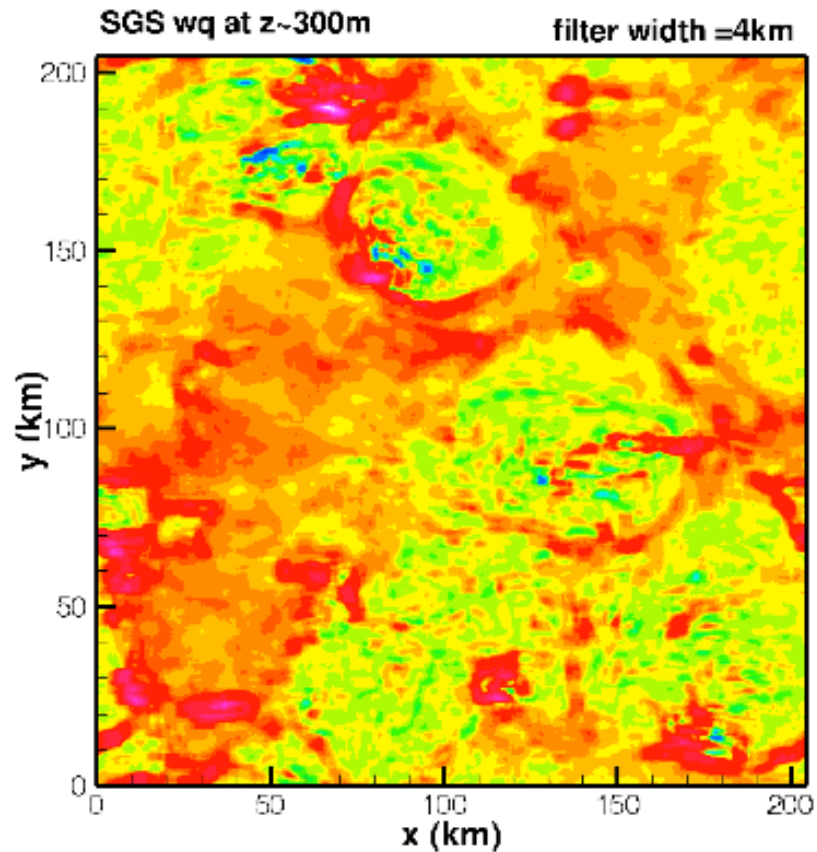


Spatial correlation between SGS flux and top-hat flux

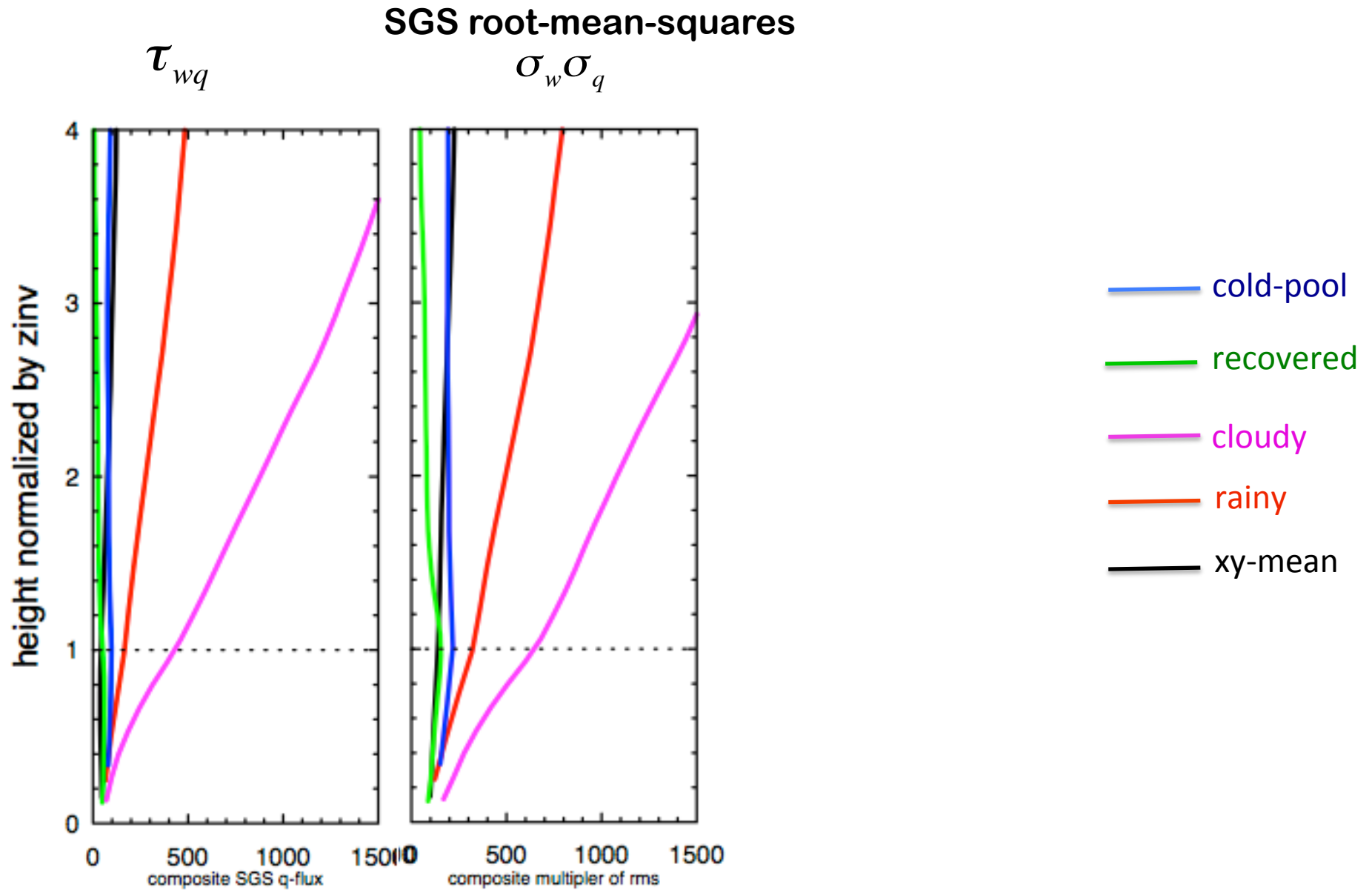


Horizontal distribution of SGS flux at $z \sim 300$ m

$$(w_{SGS}^U - w_{SGS}^D)(q_{SGS}^U - q_{SGS}^D) / 4$$



Can SGS variances represent SGS flux?



Spatial correlation between them?

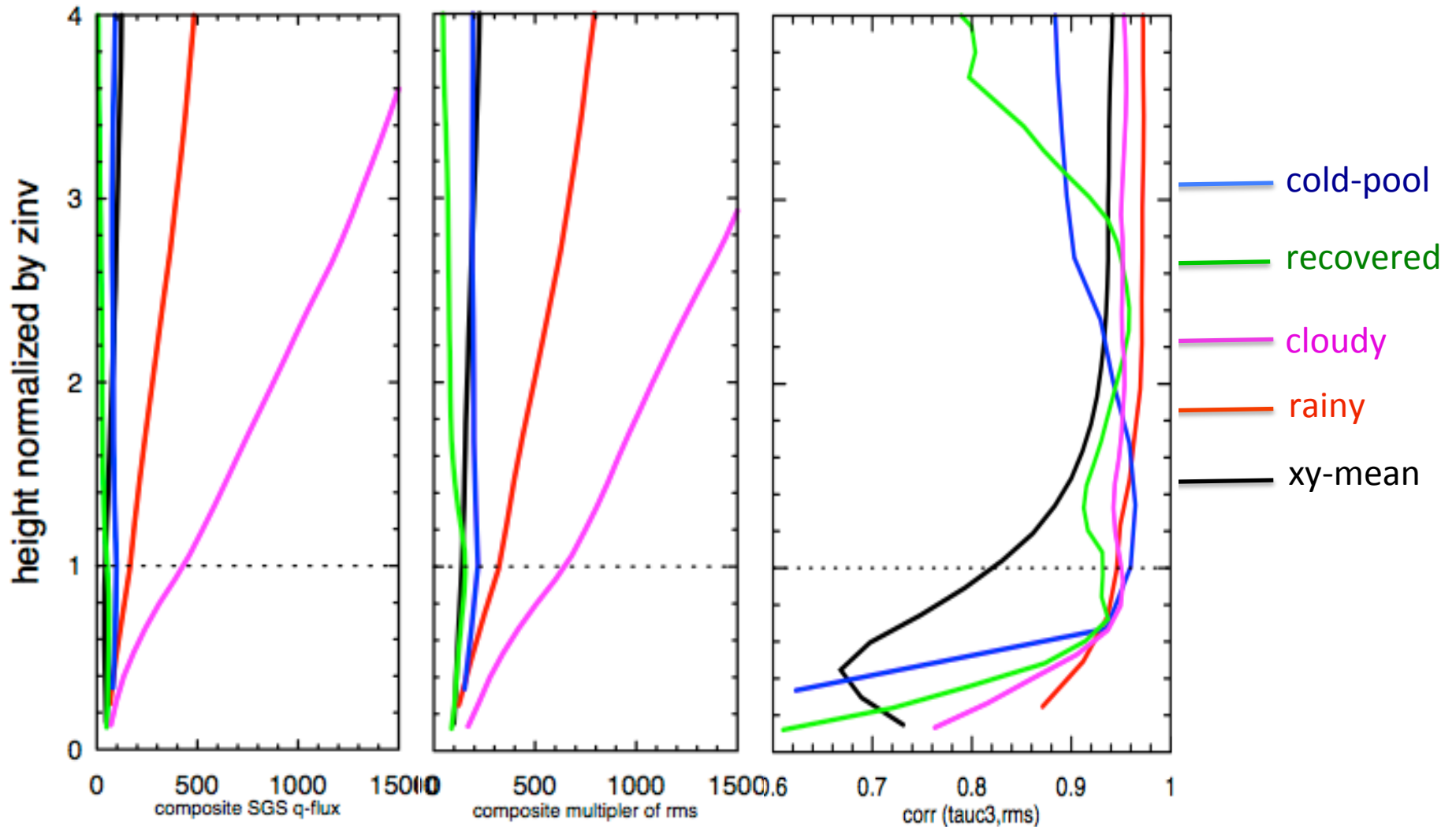


SGS root-mean-squares

$$\tau_{wq}$$

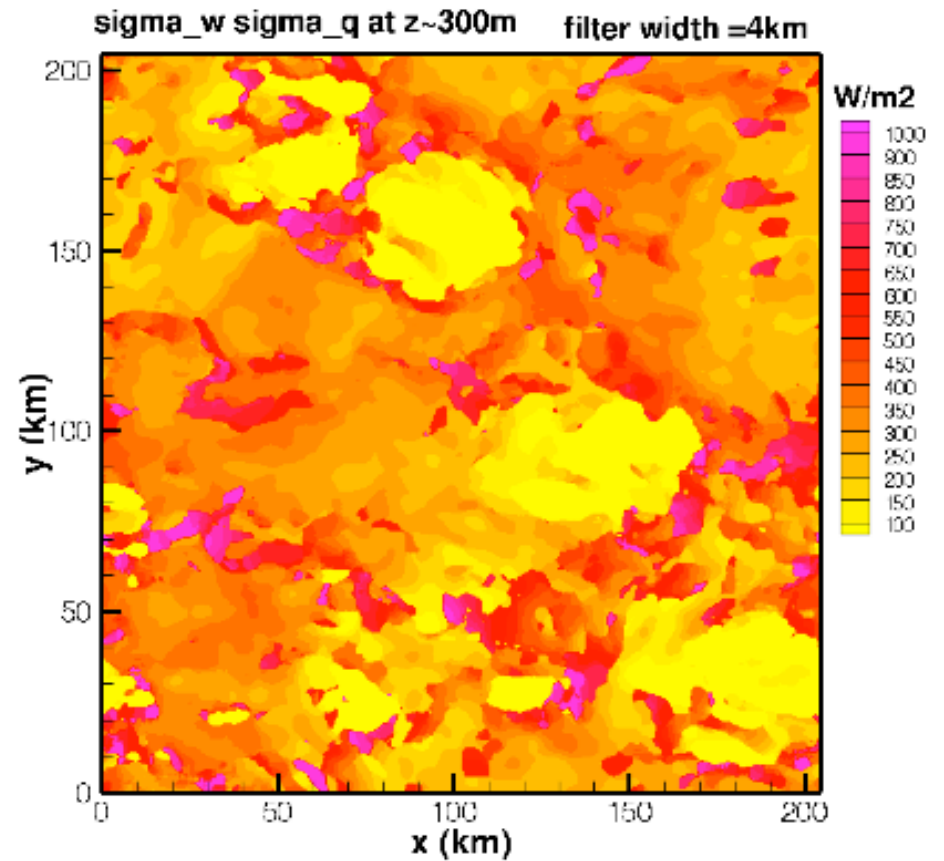
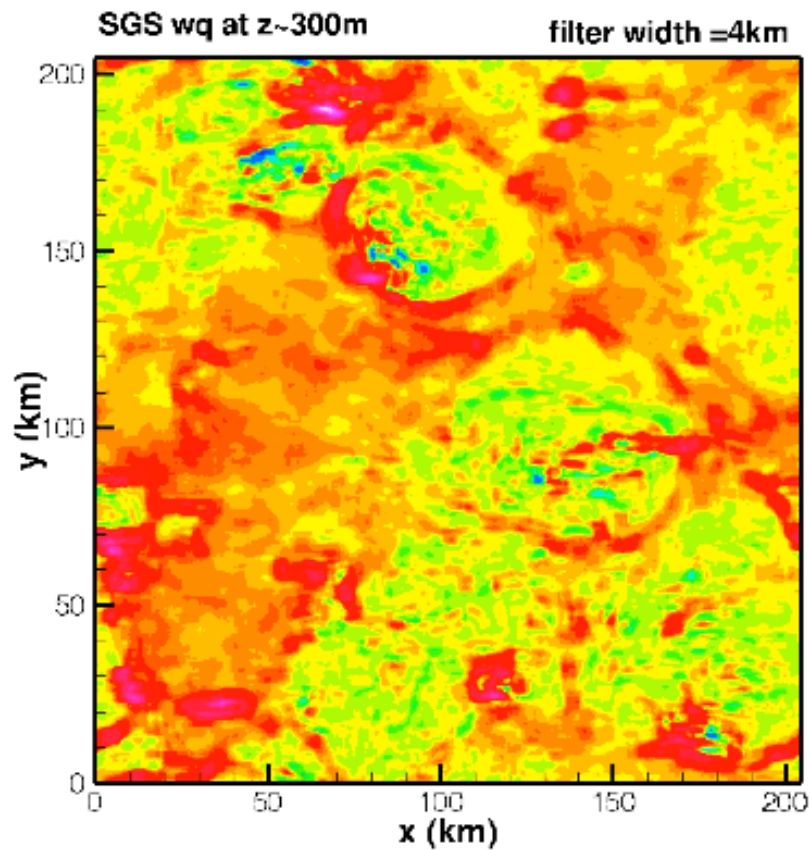
$$\sigma_w \sigma_q$$

correlation coefficient



Horizontal distribution of SGS flux at $z \sim 300$ m

$$\sigma_w \sigma_q$$



Summary

- Only the PBL in the **recovered** area looks familiar: “well-mixed” PBL & small turbulence flux above.
- Large SGS flux at the PBL top in **cloudy** & **rainy** areas, signifying strong interaction as expected.
- **SGS flux correlates well with SGS “top-hat” flux & also reasonably with the multiple of SGS root mean squares.**
- **Next: is it easier to model SGS up/down-drafts properties or SGS variances?**