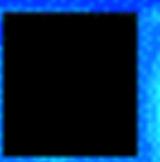
A simple way of incorporating terrain (and buildings) into SAM simulations

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A variant of Immersed-Boundary Method (IBM)

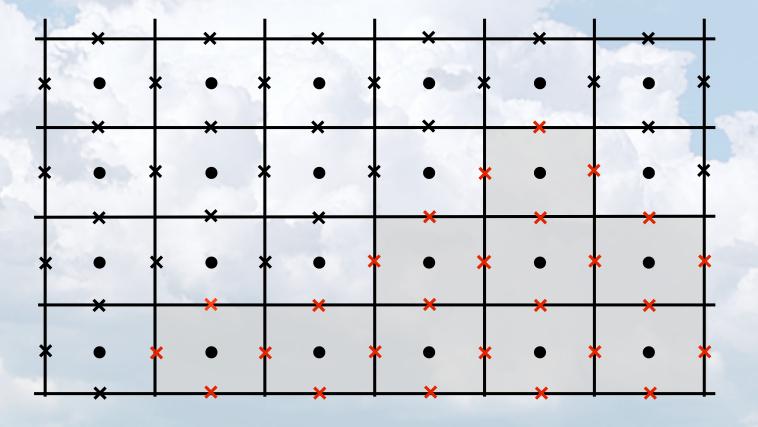
$$u^{n+1} = \sigma_u u^n + \alpha \Delta t [-\nabla_x p^n + \sigma_u \tilde{F}_u^n + \sigma_u \beta F_u^{n-1} + \sigma_u \gamma F_u^{n-2}]$$

$$div(\rho u^{n+1}) = 0 \quad \text{everywhere in the domain}$$

Reference profiles for buoyancy calculation are calculated averaging over the grid points that are not inside the terrain.

x wind $\sigma = I$ **x** zero-wind enforced $\sigma = 0$

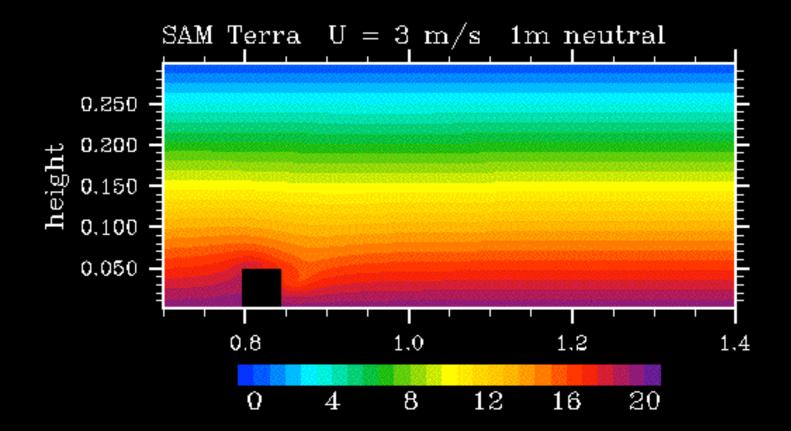
• pressure, scalars



2-D flow around a building 50 m wide and 50 m tall $\Delta x = \Delta z = 1$ m Stratification: Neutral Wind: 3 m/s

Field: Passive Scalar

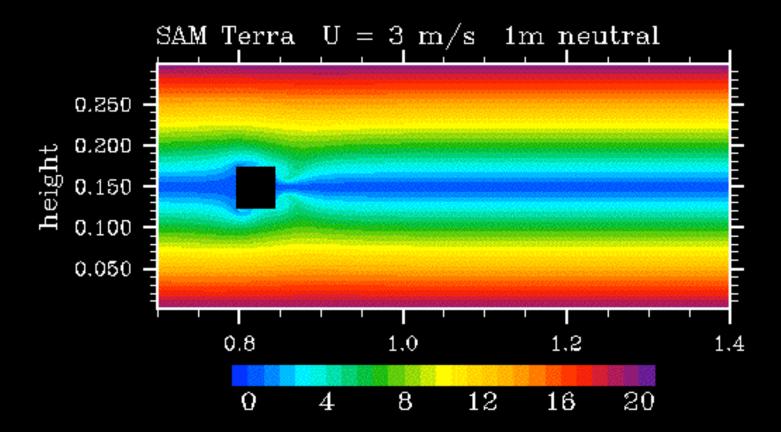
0



2-D flow around a box 50 m wide and 50 m tall suspended 150 m above the ground $\Delta x = \Delta z = 1$ m Stratification: Neutral Wind: 3 m/s

0

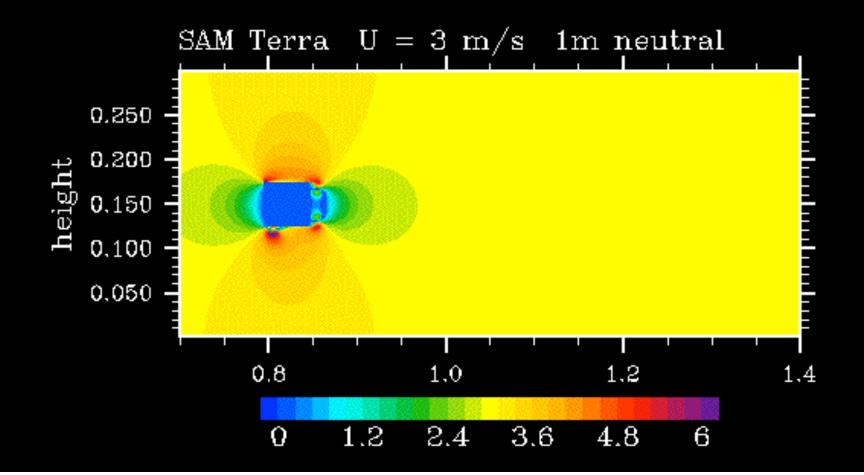


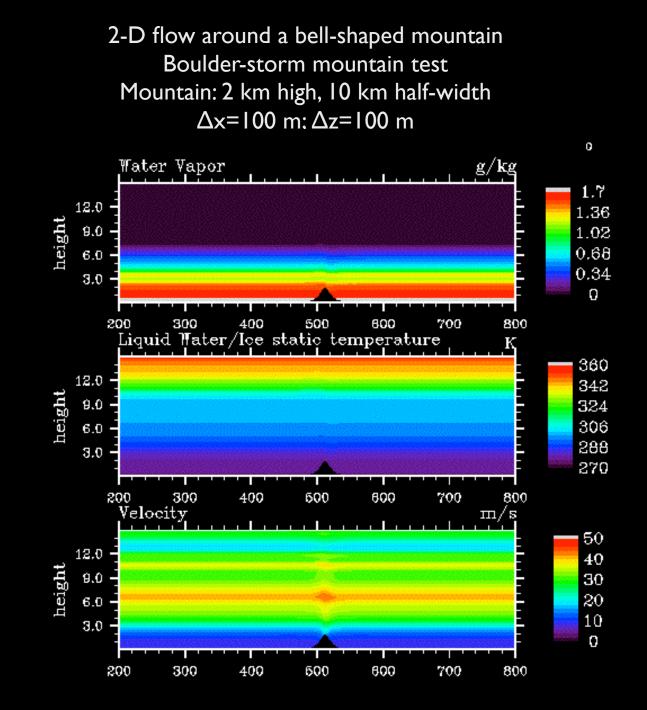


2-D flow around a box 50 m wide and 50 m tall suspended 150 m above the ground $\Delta x = \Delta z = 1$ m Stratification: Neutral Wind: 3 m/s

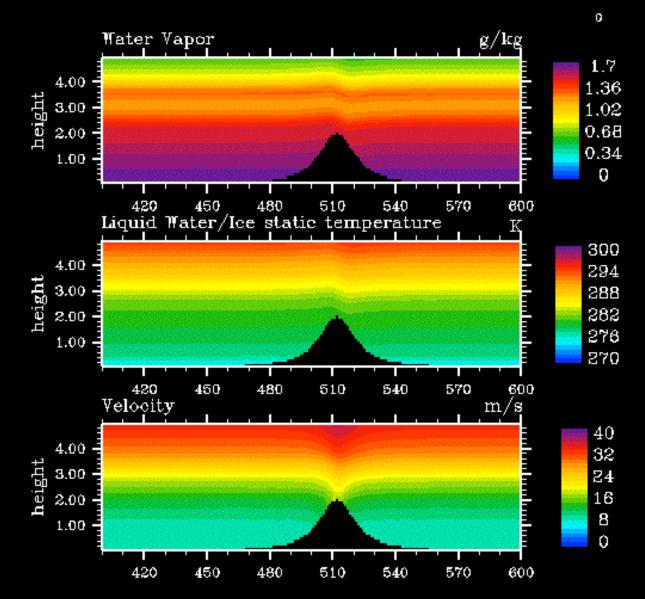
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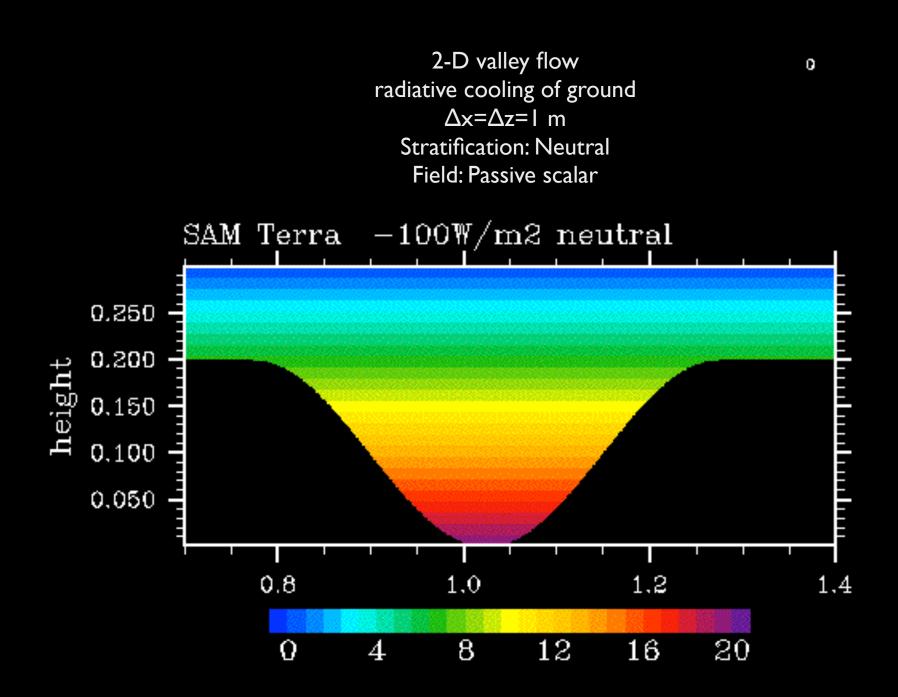
Field: Velocity (magnitude)



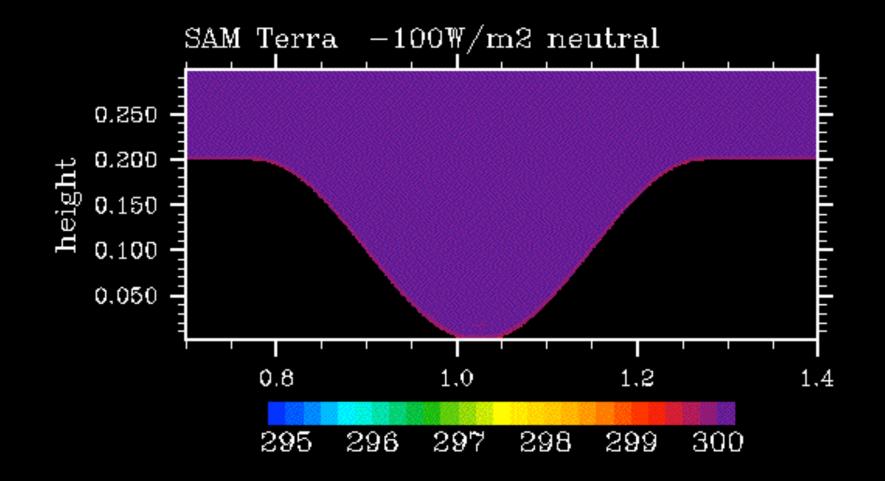


2-D flow around a bell-shaped mountain Boulder-storm mountain test Mountain: 2 km high, 10 km half-width $\Delta x=100$ m; $\Delta z=100$ m





2-D valley flow 100 W/m^2 'radiative' cooling of ground $\Delta x = \Delta z = 1 \text{ m}$ Stratification: Neutral Field: Temperature



0

Advantages

- Simplicity
- So many new problems to simulate!
- Cartesian grid
- FFT in horizontal in pressure solver (no multi-grid iterators)
- Steep terrain and buildings easily simulated.

Challenges

- Gently sloping terrains would require high vertical resolution to resolve the slopes).
- Intermediately steep terrains would dictate horizontal resolution everywhere in the domain (because of horizontal FFT in pressure solver the horizontal grid spacing is constant).
- Cells that are inside the terrain/buildings are waisted.

