

CMMAP 13th Team Meeting

Meteorological determinants of growing season onset in grassland

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Simple Biosphere model (SiB3) with Prognostic Phenology to improve our understanding in grasslands (savannas)

- The prognostic phenology model predicts FPAR and LAI and is driven by meteorological predictor data.
- The GSI (Growing Season Index) serves as the foundation for the prognostic phenology model.
- Simulations of the global water and carbon cycle are sensitive to the model representation of vegetation phenology.
- More realistic representation of vegetation phenology in climate models helps predicting the global carbon and water cycle



FPAR (Fraction of Photosynthetically Active Radiation absorbed by vegetation) **LAI** (Leaf Area Index) LAI is determined directly by taking a statistically significant sample of foliage from a plant canopy, measuring the leaf area per sample plot and dividing it by the plot land surface area. 0- bare ground and 10- dense conifer forest.

Grasslands

Site: rain green grassland, Skukuza, Kruger Nation Park , South Africa

4 years of flux tower data (Thanks to prof. Niall Hanna)



Observations from Skukuza:

Hflx ...sensible heat flux [W m-2] Leflx ...latent heat flux [W m-2] Fcflx ...turbulent CO2 flux [mg CO2 m-2 s-1]



GSI equation (Reto) :

$$GSI = f(\overline{T_m}) \cdot f(\overline{R_g}) \cdot f(\overline{vpd})$$

Temperature factor:
$$f(\overline{T_m}) = \frac{T_m - T_{m_{min}}}{T_{m_{max}} - T_{m_{min}}}$$

Radiation factor:
$$f(\overline{R_g}) = \frac{R_g - R_{g_{min}}}{R_{g_{max}} - R_{g_{min}}}$$

Moist factor:
$$f(\overline{vpd}) = 1 - \frac{\overline{vpd} - vpd_{min}}{vpd_{max} - vpd_{min}}$$

vpd_{max} and **vpd**_{min}: max and min empirical climate parameters ranges

vpd : multi-day running mean average

Same equation is used with rainfall instead of vpd



Why rainfall instead of vpd ?



GSI equation (new) :

$$GSI = f(\overline{T_m}) \cdot f(\overline{R_g}) \cdot f(\overline{vpd})$$

• If **rainfall** less than *rain_{min}* drying will occur:

 $f(rain) = f(rain) - D_c$

 D_c is drying coefficient

 $D_c = f(T, W, RH)$

Currently for my 30min time step case Dc is set that no rain scenario will dry the soil form saturated to dry within approximately 4 days

• If **rainfall** grater than **rain_{min}** moist factor increase:

 $f(rain) = f(rain) + [rain - rain_{min}]/[rain_{max} - rain_{min}]$

















Results











Kruger tower driver temp for 2002 1 day running mean temp [K] Days (since 1/1/2000)





Kruger tower driver radlw for 2002 1 day running mean radiw [[W/m^2] Days (since 1/1/2000)

GSI equation:

$$GSI = f(\overline{T_m}) \cdot f(\overline{R_g}) \cdot f(\overline{vpd})$$

Temperature factor:
$$f(\overline{T_m}) = \frac{T_m - T_{m_{min}}}{T_{m_{max}} - T_{m_{min}}}$$

Radiation factor:
$$f(\overline{R_g}) = \frac{R_g - R_{g_{min}}}{R_{g_{max}} - R_{g_{min}}}$$

Moist factor:
$$f(\overline{vpd}) = 1 - \frac{\overline{vpd} - vpd_{min}}{vpd_{max} - vpd_{min}}$$

 vpd_{max} and vpd_{min} : max and min empirical climate parameters ranges \overline{vpd} : multi-day running mean average $\overline{vpd}^{t+1} = \xi(vpd)\overline{vpd}^t + (1 - \xi(vpd))vpd^{t+1}$; $\xi(vpd) = e^{-1/t_{ave}(vpd)}$







Results





