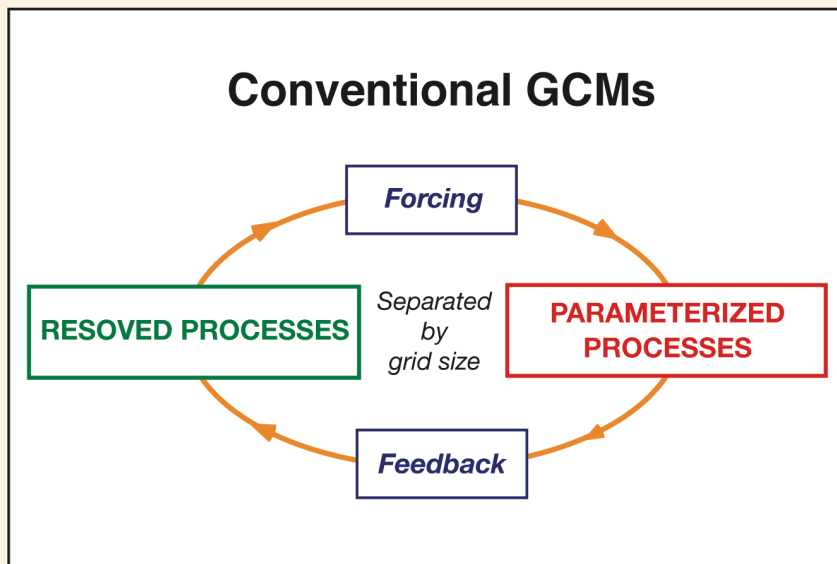


# Presentations

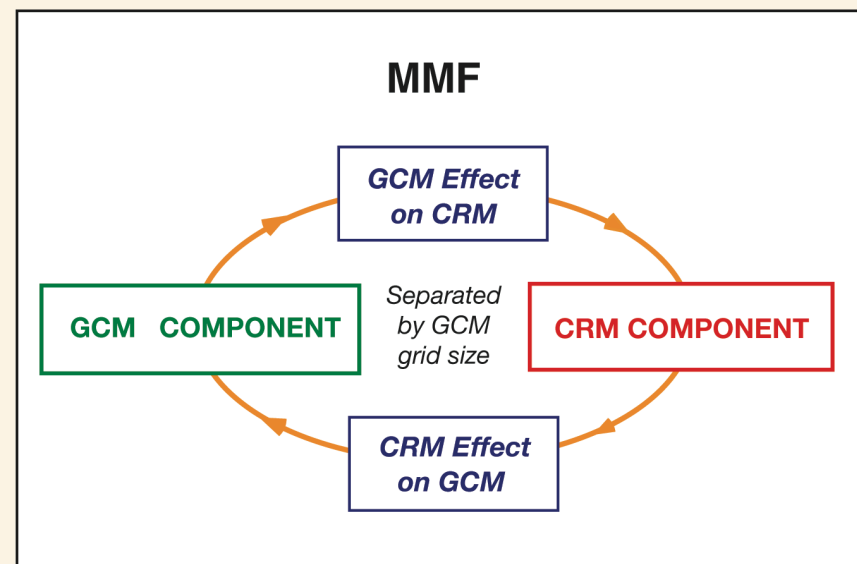
- ◆ **AA & JHJ on coupling issues with the MMF**
- ◆ **CK & RH on VVM and GCRM**
- ◆ **AC on tests of turbulence parameterization in VVM**

## THE PROBLEM OF COUPLING THE TWO COMPONENTS OF MMF

The basic structure of conventional GCMs



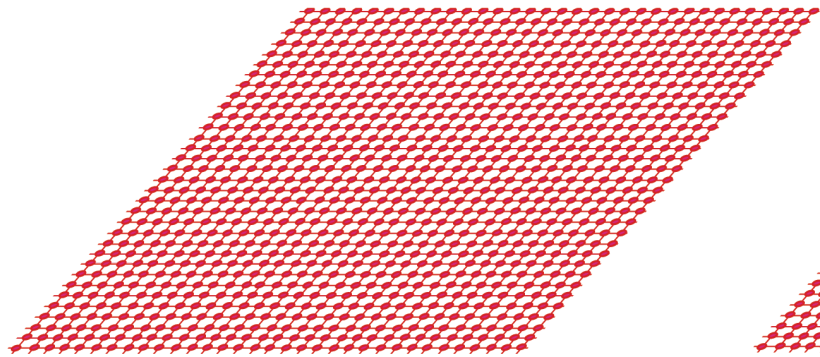
MMF inherits this basic structure



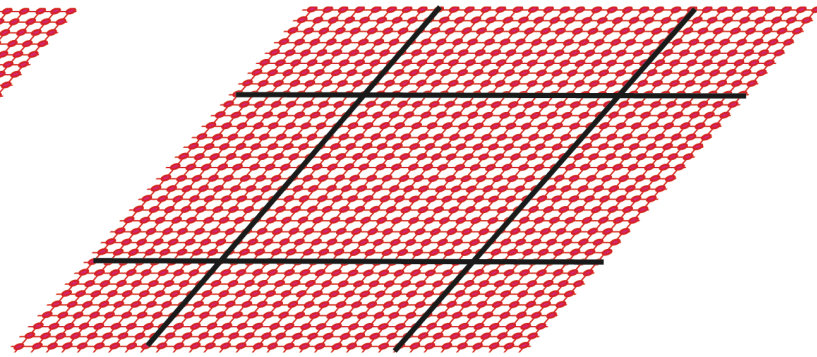
*The classical closure problem of cumulus parameterization is now replaced by the problem of formulating the coupling of the two components.*

To study the coupling problem in a way independent of the dimensionality,  
we use

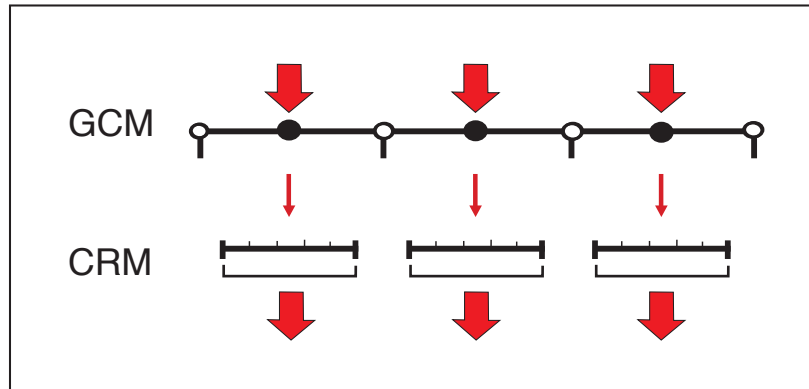
**3D CRM** (for benchmark simulation)



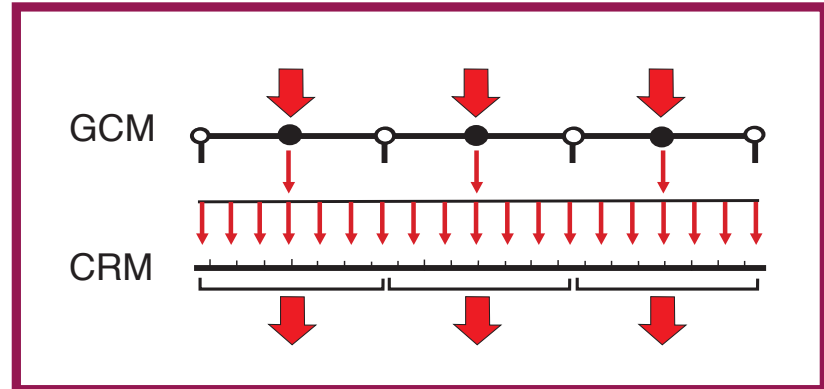
**3D MMF** (for testing of coupling)



## PROTOTYPE COUPLING (as originally suggested)



## 3D MMF COUPLING



**Approach A: Explicit formulation of GCM/CRM effects**

**Approach B: Mutual adjustments of prognostic variables**

**Approach C: Hybrid of A and B**

- Approach A includes an ad hoc way of eliminating the double counting.
- Horizontal resolution of GCM: 96 km

**Paper to be presented at EGU**

# Planar Hexagonal Anelastic Model

## (Completed Tasks)

- ☑ A paper presenting a unification of the anelastic and quasi-hydrostatic systems of equations is submitted.
- ☑ Coding: Horizontal advections of variables for cell centers, corners and walls are completed (parallelized and optimized).
- ☑ Several solution methods for the 3D elliptic w-equation are tested.
- ☑ Coding: The 3D elliptic solver is coded (parallelized and optimized).

## 3D Elliptic w-Equation

$$\left\{ \nabla_H^2 w + \frac{\partial}{\partial z} \left[ \frac{1}{\rho_0} \frac{\partial}{\partial z} (\rho_0 w) \right] \right\} = RHS$$

### III) Relaxed Method with Multigrid Solver

$$\mu \frac{\partial w}{\partial t} = \left\{ \nabla_H^2 w + \frac{\partial}{\partial z} \left[ \frac{1}{\rho_0} \frac{\partial}{\partial z} (\rho_0 w) \right] \right\} - RHS$$

Forward in time

Centered in space

Centered in space  
Backward in time

Backward in time for  
the center point

Forward in time for  
the surrounding points

## The 3rd-order (upstream-biased) advection

- ❖ Based on Hsu and Arakawa (1990)

$$\frac{\partial m}{\partial t} + \frac{1}{A} \sum_{i=1} F_i = 0$$

- ❖ The incoming and outgoing fluxes depend on the direction of the wind.

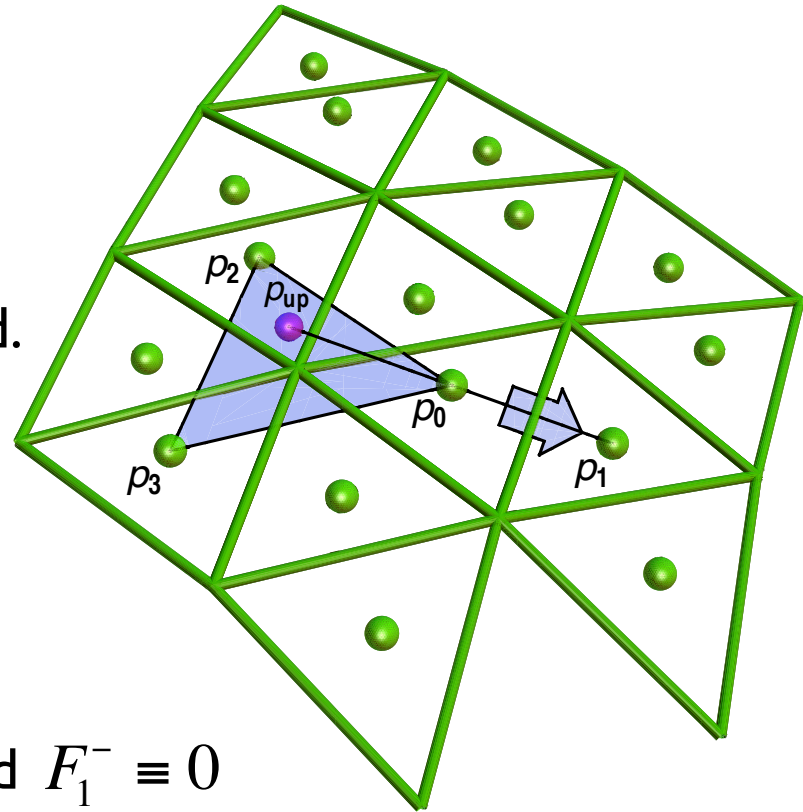
$$F_i = F_i^+ + F_i^-$$

- ❖ Suppose the wind directed from  $p_0$  toward  $p_1$ , then, for example

$$F_1^+ \equiv F_1^+ (m_{up}, m_0, m_1, \mathbf{v}_{up}, \mathbf{v}_1) \text{ and } F_1^- \equiv 0$$

where  $F_1^+$  depends on the curvature of the upstream field.

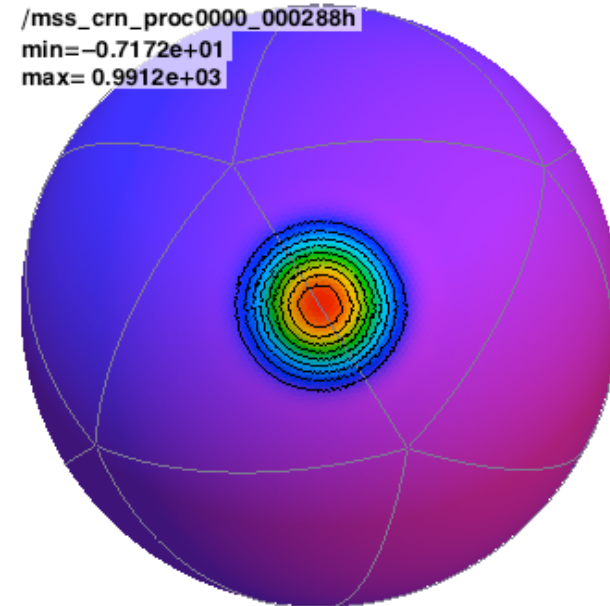
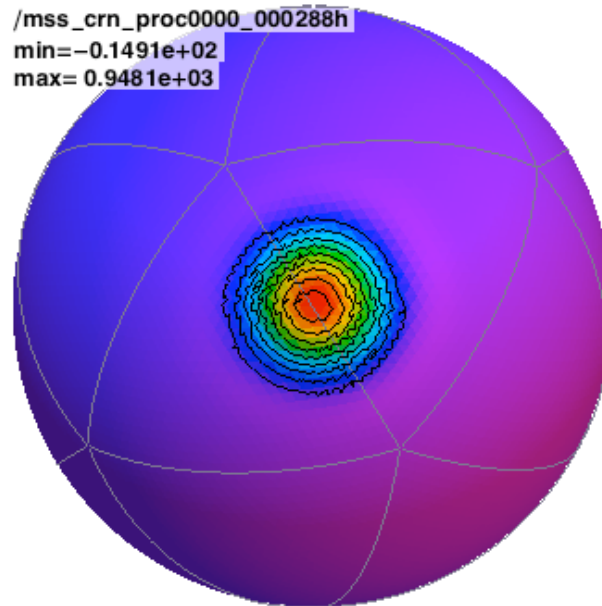
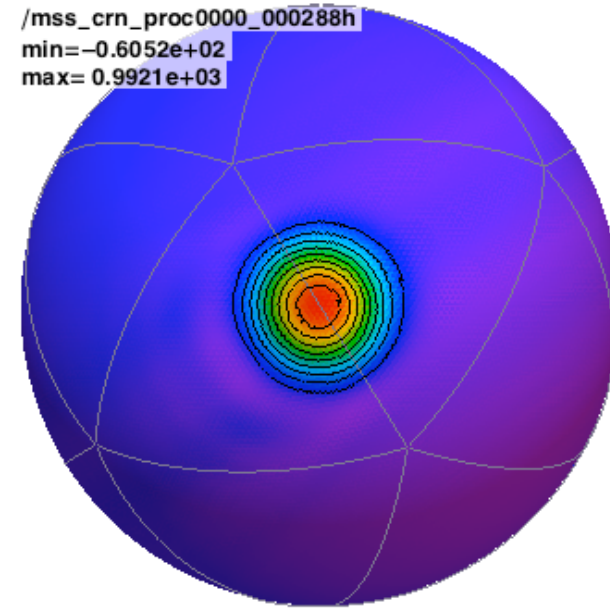
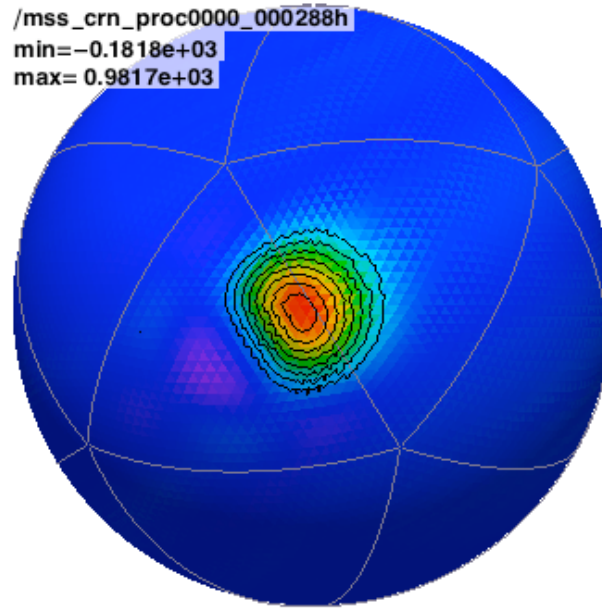
- ❖ The scheme can be positive-definite or not.





# (appx. mass) at 12 days

- ❖ Columns: 10242 and 40962
- ❖ Rows: Centered in space and upstream biased



# Projections

## Planar Hexagonal Anelastic Model

Feb 2008: Test of full dynamics, without physics

Mar 2008: Test of model with physics

July 2008: Tests with the *unified system of equations*

## Global Geodesic Anelastic Model

Mar 2008: Test of full dynamics, without physics

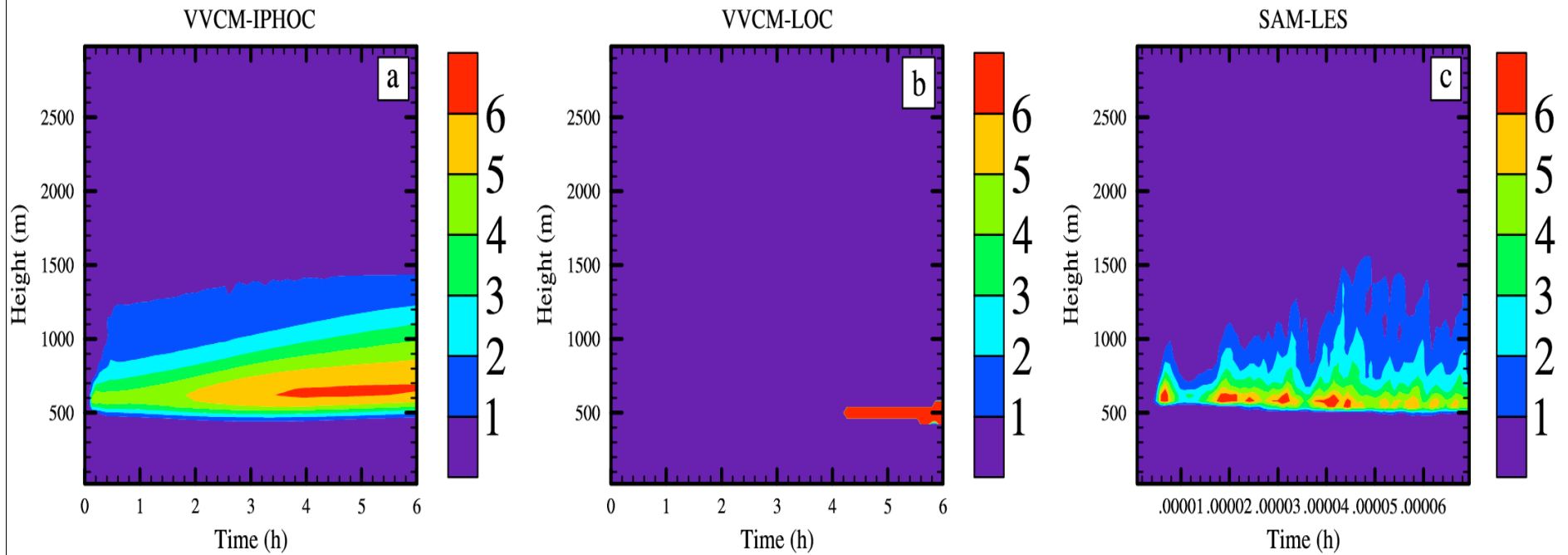
May 2008: Test of model with physics

**Paper to be presented at EGU**

# Intermediately Prognostic Higher-Order Closure Model

- Double-Gaussian distribution of liquid-water potential temperature, total water mixing ratio and vertical velocity
- Skewnesses of these three third-order moments predicted
- All first-, second-, third- and fourth-order moments, subgrid-scale condensation and buoyancy based on the same probability distribution function
- Subgrid-scale bulk microphysics in development: Rain In Cumulus over the Ocean (RICO) case

# Time evolution of cloud field for BOMEX (%)



## Summary and Discussion

- An IP–HOC has been implemented in VVCM
- Mechanism to produce shallow cumulus clouds in CRM resolution begins to work
- System bias on mean profiles of wind is still under investigation
- Higher resolution runs for GCSS clouds need more work
- Extensive testing is underway