## Z-grid unified model update and an issue

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# Update

# • <u>April 2009</u>

- Z-grid anelastic global model
  - Based on Z-grid hydrostatic model of Ross
- <u>July 2009</u>
  - Unified model
    - Cold bubble test in a limited domain (Cartesian)
    - Z-grid unified global model: Jablonowski's test (It was just a lucky.)

# January 2010

- Tentative solution to a problem
  - Model was unstable in a case including larger divergence.
- Implementing SAM's physics
  - (finished) Surface fluxes
  - (finished) Cloud microphysics
  - (not yet) Turbulence
  - (not yet) Radiation
- Test simulations with "clouds"

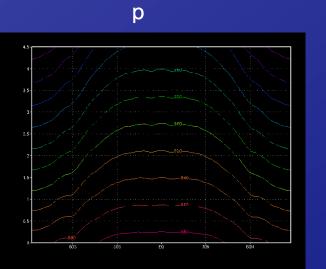
## Surface fluxes + -2 K forcing

• SAM's surface flux parameterization

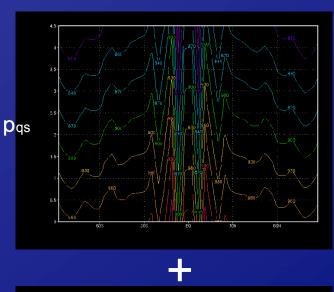
• -2 K forcing for the prognostic equation of potential temperature

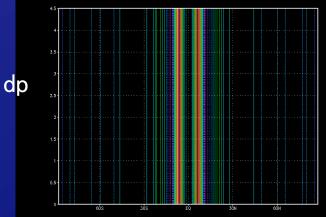


#### Model blows up...









#### Cause

$$\frac{\partial \left(\pi_{qs}\right)_{sfc}}{\partial t} = \frac{1}{\left(p_{qs}/\pi_{qs}\right)_{sfc} - \left(p_{qs}/\pi_{qs}\right)_{top}} \left[ \left(\frac{p_{qs}}{\pi_{qs}}\right)_{top} \int_{z_{sfc}}^{z_{top}} \frac{g}{c_{p}\theta^{2}} \frac{\partial \theta}{\partial t} dz - \kappa g \int_{z_{sfc}}^{z_{top}} \nabla_{h} \bullet \left(\rho_{qs} \mathbf{v}_{h}\right)^{t} dz \right] \quad (2.16)$$

$$\left(\pi_{qs}\right)_{sfc} \theta \to \pi_{qs} \to p_{qs} \to \rho_{qs}$$

Forward scheme is used to get quasi-static density of n+1.

$$\frac{\rho_{qs}^{n+1} - \rho_{qs}^{n}}{\Delta t} = -\nabla_{h} \bullet \left(\rho_{qs} \mathbf{v}_{h}\right)^{n+1} - \frac{\partial}{\partial z} \left(\rho_{qs} w\right)^{n+1} \quad (4.5)$$

Backward scheme is assumed to get a Poisson equation.

Assume del(theta)/del(t) = 0.

• If horizontal momentum is convergent for a vertical column at time "n", vertically integrated horizontal momentum at time "n+1" must be convergent to satisfy (4.5).

$$\int_{z_{sfc}}^{z_{top}} \nabla_h \bullet \left( \rho_{qs} \mathbf{v}_h \right)^{t} dz > 0 \longrightarrow \int_{z_{sfc}}^{z_{top}} \nabla_h \bullet \left( \rho_{qs} \mathbf{v}_h \right)^{t+1} dz > 0$$

• Then, convergent momentum at "n+1" is used to get mass at "n+2". That means vertically integrated momentum at "n+2" is also convergent.

- pqs tries to make divergence, but dp does not allow that.
- There is a positive feedback in the vertically integrated horizontal momentum.

## Solution

$$\frac{\partial (\pi_{qs})_{sfc}}{\partial t} = \frac{1}{(\rho_{qs}/\pi_{qs})_{sfc}} - (\rho_{qs}/\pi_{qs})_{top}} \left[ \left( \frac{p_{qs}}{\pi_{qs}} \right)_{top} \int_{z_{yfc}}^{z_{top}} \frac{g}{c_p \theta^2} \frac{\partial \theta}{\partial t} dz - \kappa g \int_{z_{yfc}}^{z_{top}} \nabla_h \bullet (\rho_{qs} \mathbf{v}_h)^{t+1} dz \right] \quad (2.16)$$
Backward scheme for (2.16)?
$$\frac{(\rho_{qs} \mathbf{v}_h)^{t+1} - (\rho_{qs} \mathbf{v}_h)^{t}}{\Delta t} = -c_p \rho_{qs} \theta (\nabla_h \pi_{qs}^n + \nabla_h \delta \pi^n) + \mathbf{A}_{\mathbf{v}_h}^n$$
dp is diagnosed by a Poisson equation assuming (4.5).
$$\frac{\rho_{qs}^{n+1} - \rho_{qs}^n}{\Delta t} = -\nabla_h \bullet (\rho_{qs} \mathbf{v}_h)^{t+1} - \frac{\partial}{\partial z} (\rho_{qs} w)^{t+1} \quad (4.5)$$

$$r_{qs}(n+1) \text{ is computed through (2.16).}$$

We need to make implicit equations to avoid the positive feedback of divergence/convergence.

I tried. But, I have not succeeded yet.

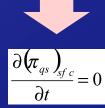
I could not clear the complexity coming from  $p_{qs} = p_{00}\pi^{1/\kappa}$ .

#### **Temporary solution**

Is it possible to estimate dp or to avoid the use of dp?

- 1. Updating momentum without dp.
- 2. Estimating dp through iteration (Runge-Kutta).
- 3. Using dp of the previous time step.
- 4. Combination of 1, 2 and 3.
- 5. Prognosing vertical mean part of dp.
- 6. Horizontally explicit and vertically implicit computation of momentum equations.
- **7**. Damping the Lamb wave part in 4.

$$\frac{\partial \left(\pi_{qs}\right)_{sfc}}{\partial t} = \frac{1}{\left(p_{qs}/\pi_{qs}\right)_{sfc} - \left(p_{qs}/\pi_{qs}\right)_{top}} \left[ \left(\frac{p_{qs}}{\pi_{qs}}\right)_{top} \int_{z_{sfc}}^{z_{top}} \frac{g}{c_{p}\theta^{2}} \frac{\partial \theta}{\partial t} dz - \kappa g \int_{z_{sfc}}^{z_{top}} \nabla_{h} \bullet \left(\rho_{qs} \mathbf{v}_{h}\right) dz \right] \quad (2.16)$$

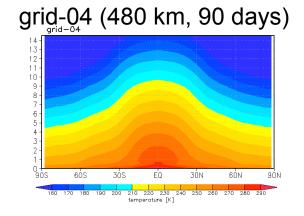


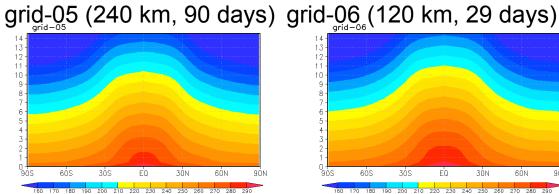
#### **Experimental setup**

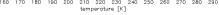
- Z-grid unified dynamical core
  - Fiexed (pqs)sfc, 2<sup>nd</sup>-order Runge-Kutta
- SAM's physics
  - w/ surface fluxes, cloud microphysics
  - w/o turbulence, radiation, ice sedimentation
- Horizontal grids and time integrations
  - grid-04 (dx~480 km): 120 days (dt=360 s)
  - grid-05 (dx~240 km): 120 days (dt=150 s)
  - grid-06 (dx~120 km): 59 days (dt=60 s)
  - grid-09 (dx~ 15 km): 5 days (dt=10 s, 24 hr by 2560 PEs)
- Vertical grid
  - dz=500 m, 30 levels (0-15000 m), No sponge layer
- <u>Aquaplanet</u>
  - **Control SST** (http://www.atmos.ucla.edu/~brianpm/cfmip2\_aqua.html)
  - No initial wind
  - temperature lapse rate of -6 K/km (RH=80%)
  - -2 K/day forcing

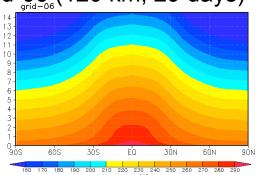
### Zonal mean

#### Temperature



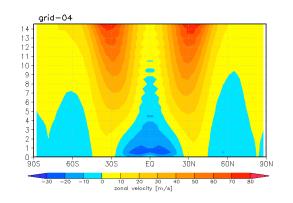


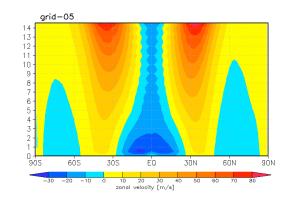


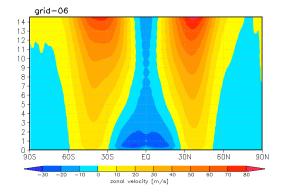




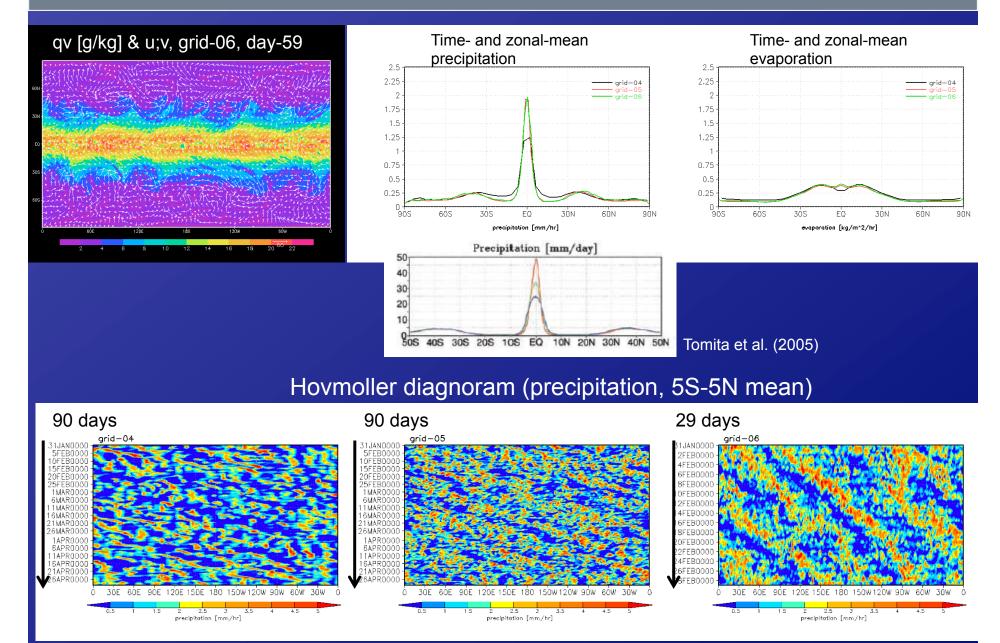
#### zonal velocity



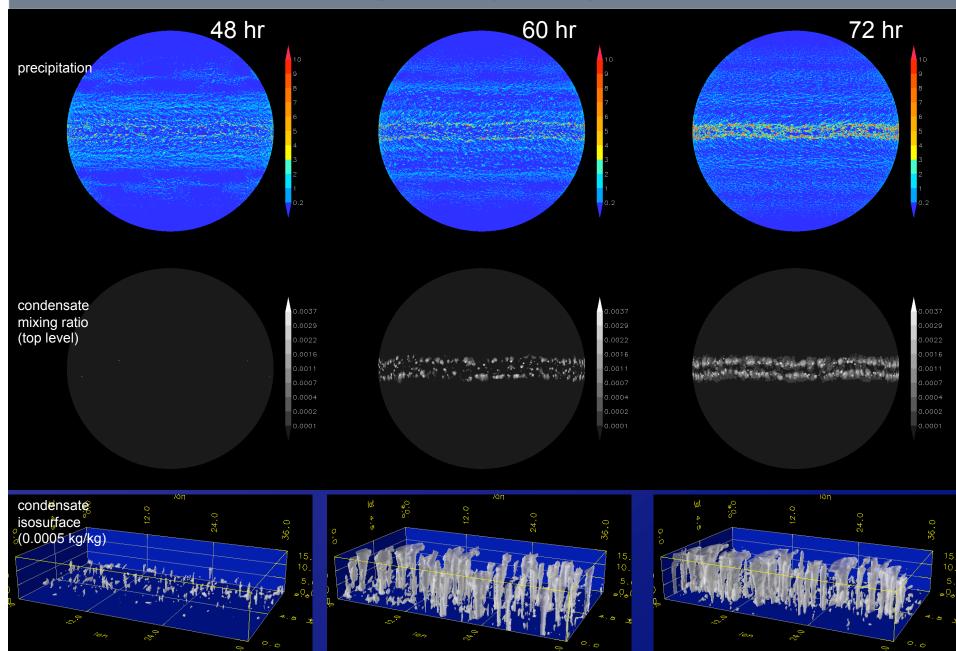




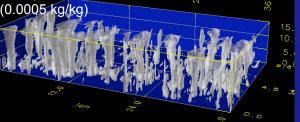
### Moisture

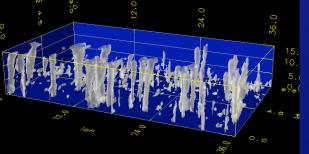


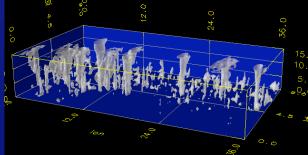
# grid-09 (15 km)



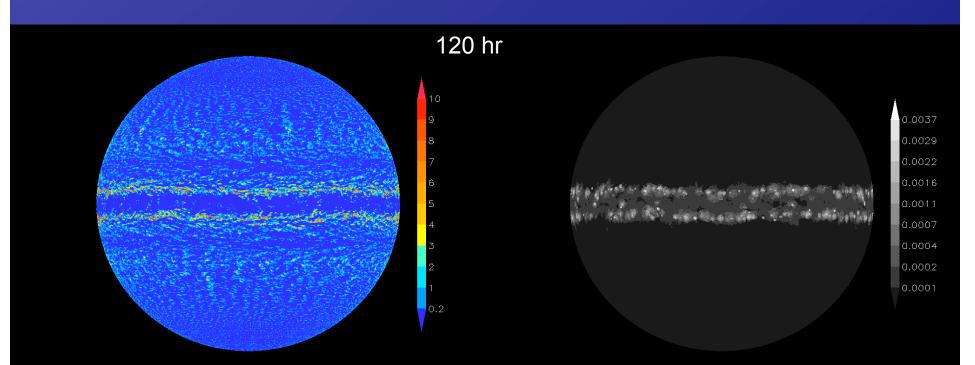
#### grid-09 (15 km) 96 hr 84 hr 108 hr precipitation condensate mixing ratio (top level) 100 and the second second second second 0.0002 condensate 2.0 2.0 isosufface (0.0005 kg/kg) 15

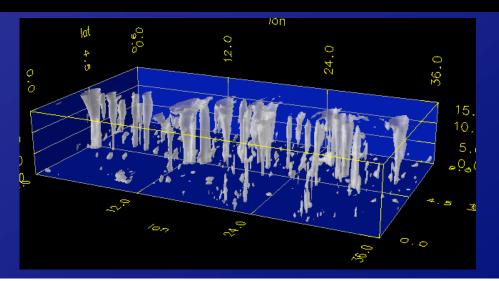






# grid-09 (15 km)





## Summary

- Surface fluxes and a cloud microphysics scheme have been transplanted from SAM.
  - I would like to thank Marat.
  - I had no time to test turbulence and radiation...

### <u>Test simulations</u>

- Low-resolution simulations appear to reproduce "reasonable" atmosphere.
  - It is of course physically unreasonable to use cloud microphysics scheme.
- 15-km simulation run for 5 days in its first attempt.
- There is an issue relating the prediction of the exner function of the surface.
  - We might need a magic!
  - I need to get a fresh start.

