#### Moisture Sensitivity Parameters and the MJO

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# Motivation

 Modifying a convection scheme so that moisture has a larger influence on convection tends to produce a stronger MJO in a GCM

Tokioka et al. (1988) Wang and Schlesinger (1999);, Grabowski and Moncrieff (2004), Lin et al et al. (2008), Maloney (2009)

 Can comparing how various modifications affect a model reveal a common result that explains why they all produce a stronger MJO?



#### **Relaxed Arakawa-Schubert**

• Cloud heights are determined by their fractional entrainment rate

• Zero entrainment is allowed



Taken from Arakawa and Schubert (1974)

### **Sensitivity Parameters**

#### • Minimum Entrainment Rate (Tokioka et al., 1988)

- Cloud which require less entrainment than the minimum in order to exist are suppressed
- The min. entrainment is constant throughout each simulation

$$\mu = \frac{\alpha}{D}$$

• Rain Evaporation Fraction (Sud and Molod, 1988)

This allows a set fraction of precipitation to be exposed to environment outside the cloud and evaporate depending on the conditions

# Model Setup

- NCAR CAM 3.1 with Relaxed Arakawa-Schubert (RAS) convection
- 4 separate 16 year simulations with various min. entrainment and a constant rain evaporation fraction of  $\varepsilon = 0.3$ 
  - $\alpha = 0.0$
  - $\alpha = 0.2$
  - $\alpha = 0.4$
  - $\alpha = 0.6$

$$\mu = \frac{\alpha}{D}$$

- 2 additional simulations with varying rain evaporation fraction and constant minimum entrainment with  $\alpha = 0.2$ 
  - ε = 0.05
  - ε = 0.6

### Horizontal Structure



#### Vertical Structure



# **Process Oriented Diagnostics**

- The following figures aim to uncover the main mechanism by which the moisture sensitivity parameters lead to increased intraseasonal variance and a more coherent MJO
- Figures were generated using data for the Indo-Pacific warm pool region (10N 10S and 50 180E)



### Changes to the Mean State



### Rain Rate vs. SF

Daily Precipitation Rate vs. Column Saturation Fraction



#### • The vertically integrated MSE budget

$$\left\langle \frac{\partial m}{\partial t} \right\rangle = -\left\langle m \nabla \cdot \mathbf{v} \right\rangle - \left\langle \mathbf{v} \cdot \nabla m \right\rangle + LH + SH + \left\langle LW \right\rangle + \left\langle SW \right\rangle$$

• Terms are normalized by the Dry Static Energy (DSE) export by vertical motions to give dimensionless quantities which are relevant to theories of precipitation

$$-\langle s \nabla \cdot \mathbf{v} \rangle$$







#### Conclusions

 The mean humidity may not be as crucial to the MJO as some studies suggest given that both parameters result in an enhanced MJO signal and different mean states

 The ability to achieve negative GMS seems to be a good diagnostic as to whether a model can produce an MJO (Raymond et al., 2009), but the fluctuations of GMS appear more useful than the mean