### Convection, Tropical Waves, and Double ITCZs

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Thanks to John Chiang (UC Berkeley) Mike Pritchard (UC Irvine) Zhihong Tan (Caltech) Double Inter-tropical Convergence Zones (ITCZs)



Black: Observation Others: CMIP simulation results

Hwang & Frierson, 2013



Khairoutdinov et al. 2005



Khairoutdinov et al. 2005



Khairoutdinov et al. 2005





Khairoutdinov et al. 2005



# SPCAM simulates even stronger MJOs then observation.



Kim et al. 2009

### Double ITCZs emerged during a strong Madden-Julian Oscillation event in March 2015



Westerly winds (m/s)





http://www.bom.gov.au/climate/mjo/#tabs=Weekly-note

### Why double ITCZs?

#### Anomalous anti-Hadley circulations



#### Arguments about ITCZ location:

A1: SST distribution: *e.g.*, Lindzen and Nigam 1987; Neelin 1989; Wang and Li 1993; Chiang et al. 2001

A2: Quasi-equilibrium: *e.g.*, Emanuel 1995; Prive and Plumb 2007; Boos and Kuang 2010

A3: Energy transport: *e.g*, Kang et al. 2008, 2009; Frierson and Hwang 2012; Donohoe et al. 2013; Bischoff and Schneider 2015

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### Double ITCZs emerge over uniform SSTs



#### This result suggests:

- Thermodynamic constraints cannot predict this behavior.
- We need other constraints.



Schneider 2006; Bordoni and Schneider 2008; Shaw 2014;













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AM flux convergence requires equatorward flow



color shading: S

Blue: convergence, *S* < 0 Red: divergence, *S* > 0



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Blue: convergence, *S* < 0 Red: divergence, *S* > 0 The Madden-Julian Oscillation dominates the momentum transport.



Consistent with studies under more realistic setup, *e.g.*, Lee 1999, Caballero and Huber 2010, Arnold et al. 2012















### Summary

- Double ITCZs are simulated over uniform sea surface temperatures in SPCAM.
  - NOT expected from the thermodynamic arguments.
- The angular momentum argument can explain this result.
- The Madden-Julian Oscillation dominates the meridional eddy momentum transport.



 When the equatorial wave activity (e.g., the MJO and Rossby waves) is strong, this proposed mechanism can produce double ITCZs.



# Weak temperature gradient approximation holds globally





Figure 1: Schematics of the proposed mechanism of the anti-Hadley circulation. The left and right boxes are connected by continuity.

$$f\bar{v} = \partial_y \overline{u'v'} \tag{2}$$

 $)^{1/2}$ 

$$\bar{\omega}\partial_p \bar{\theta} = \bar{Q} \tag{3}$$

$$\partial_y \bar{v} + \partial_p \bar{\omega} = 0 \tag{4}$$

From (4), we know

$$\frac{|\omega|}{|v|} \sim \frac{\Delta p}{L_y} \tag{5}$$

Here  $L_y$  is the meridional extent of this tropic cell, and  $\Delta p = p_s - p_t$ . Combining (2) & (3), we get

$$\frac{\omega}{v} \sim \frac{fQ}{\partial_y \overline{u'v'} \partial_p \bar{\theta}} \sim \frac{2\Omega \sin \varphi_c \bar{Q}}{\partial_y \overline{u'v'} \partial_p \bar{\theta}} \sim \frac{2\Omega \varphi_c \bar{Q}}{\partial_y \overline{u'v'} \partial_p \bar{\theta}}$$
(6)

### MJO in SAM SST = 290 K, 1/3 of Earth's circumference

100

120

